## Advanced topics in algorithms:

bibliography list 4

Here are the reference on algorithms for Maximum flows on planar graphs. It started with Itai and Shiloach [6]. Reif improved their method for finding a minimum cut [8]. Hassin [4] gave a very simple algorithm for maximum flow in s - t planar graphs (meaning that s and t are on the boundary of the same face). More early results can be found in [7, 5]. The new algorithm for directed graphs is by Borradaile and Klein [1]. A simpler presentation was given by Erickson [3]. The extension to multiple sources and sinks is in [2].

## References

- Glencora Borradaile and Philip Klein. An O(n log n) algorithm for maximum st-flow in a directed planar graph. J. ACM, 56(2):1–30, 2009.
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- [3] J. Erickson. Maximum flows and parametric shortest paths in planar graphs. In 21st SODA, pages 794–804, 2010.
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- [8] J. Reif. Minimum s-t cut of a planar undirected network in  $O(n \log^2 n)$  time. SIAM Journal on Computing, 12:71–81, 1983.