

# Compilation

0368-3133 2014/15a

Lecture 6



Getting into the back-end

Noam Rinetzky

# But first, a short reminder



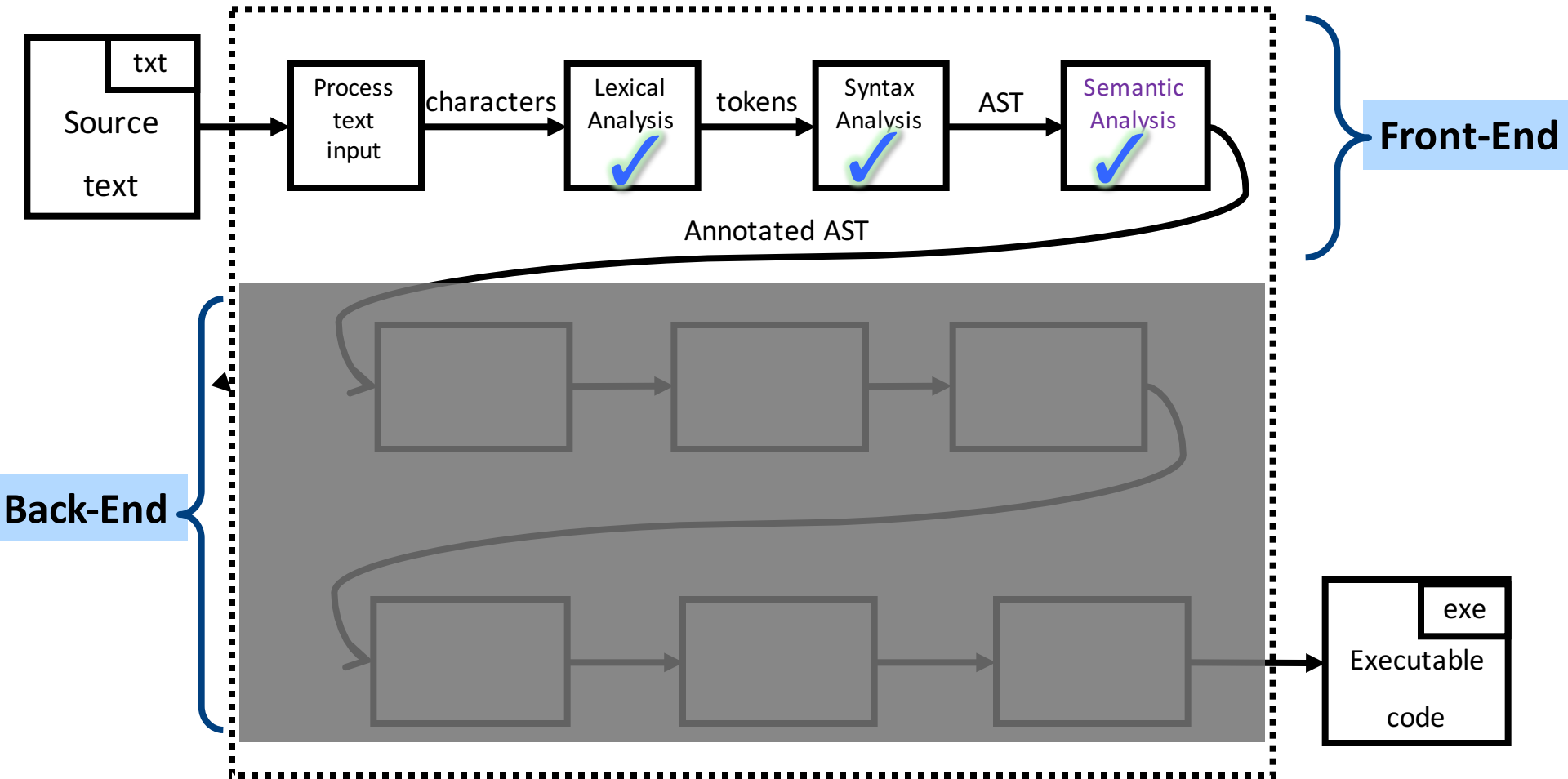
# What is a compiler?

“A compiler is a computer program that transforms source code written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an executable program.”

--Wikipedia

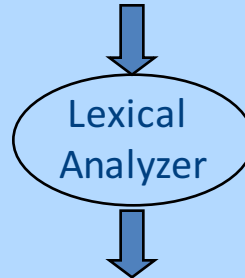
# Where we were



# Lexical Analysis

*program text*

((23 + 7) \* x)



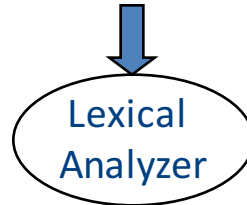
*token stream*

(	(	23	+	7	)	*	x	)
LP	LP	Num	OP	Num	RP	OP	Id	RP

# From scanning to parsing

*program text*

((23 + 7) \* x)



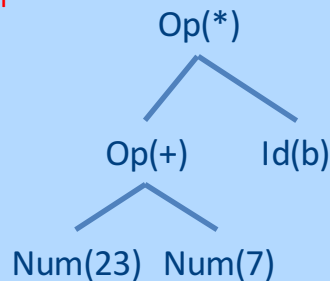
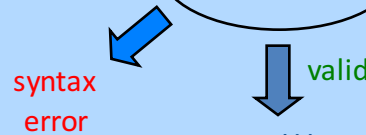
*token stream*

(	(	23	+	7	)	*	x	)
LP	LP	Num	OP	Num	RP	OP	Id	RP

Grammar:

$E \rightarrow \dots \mid \text{Id}$

$\text{Id} \rightarrow \text{'a'} \mid \dots \mid \text{'z'}$



*Abstract Syntax Tree*

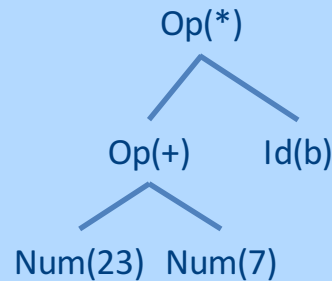
# Context Analysis

Type rules

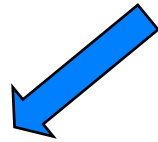
$E1 : \text{int}$      $E2 : \text{int}$

---

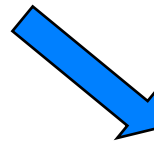
$E1 + E2 : \text{int}$



*Abstract Syntax Tree*



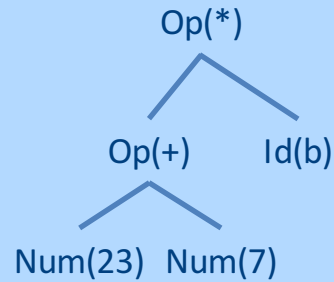
Semantic Error



Valid + Symbol Table

# Code Generation

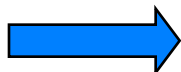
...



*Valid Abstract Syntax Tree  
Symbol Table*

Verification (possible runtime)  
Errors/Warnings

input



Executable Code



output



# What is a compiler?

“A **compiler** is a computer program that **transforms** source **code** written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an **executable program**.”

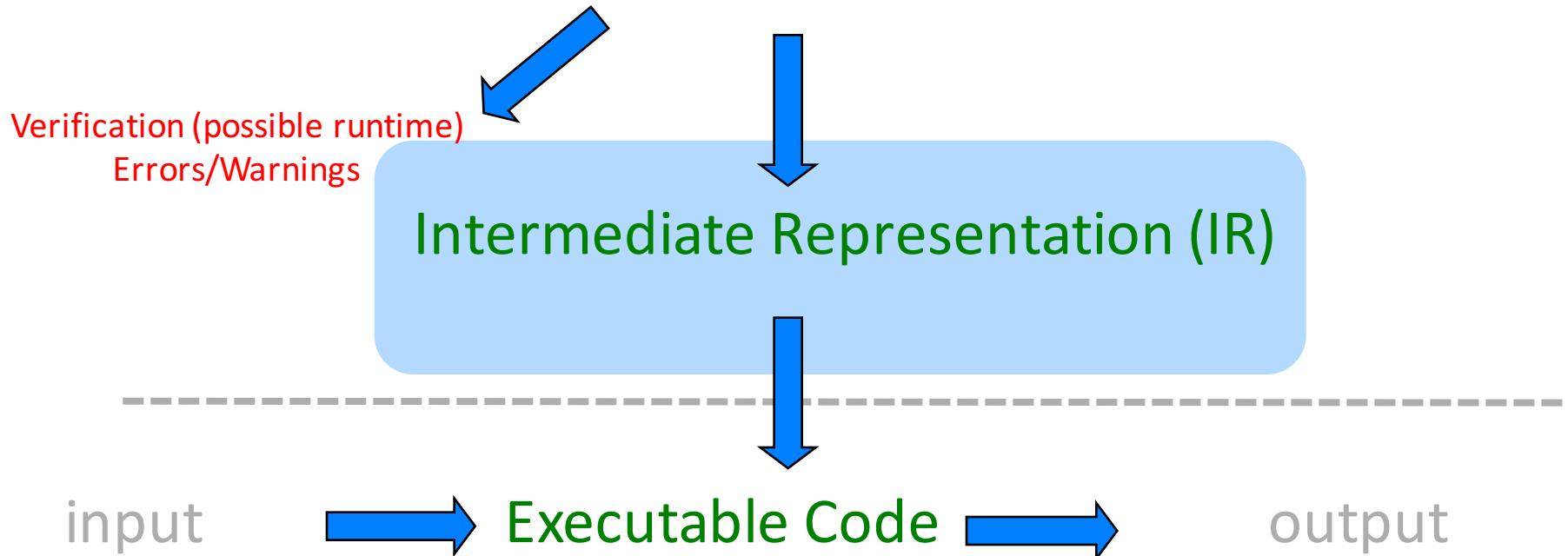
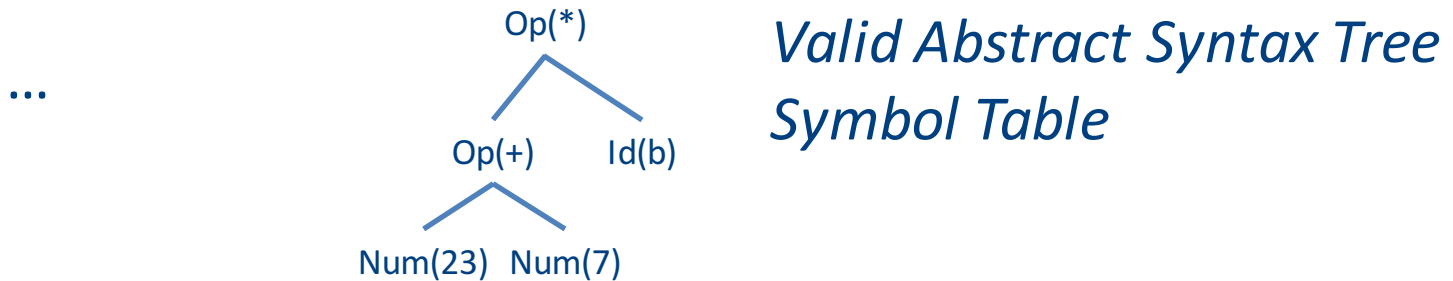
# A CPU is (a sort of) an *Interpreter*

“A **compiler** is a computer program that **transforms** source **code** written in a programming language (source language) into another language (target language).

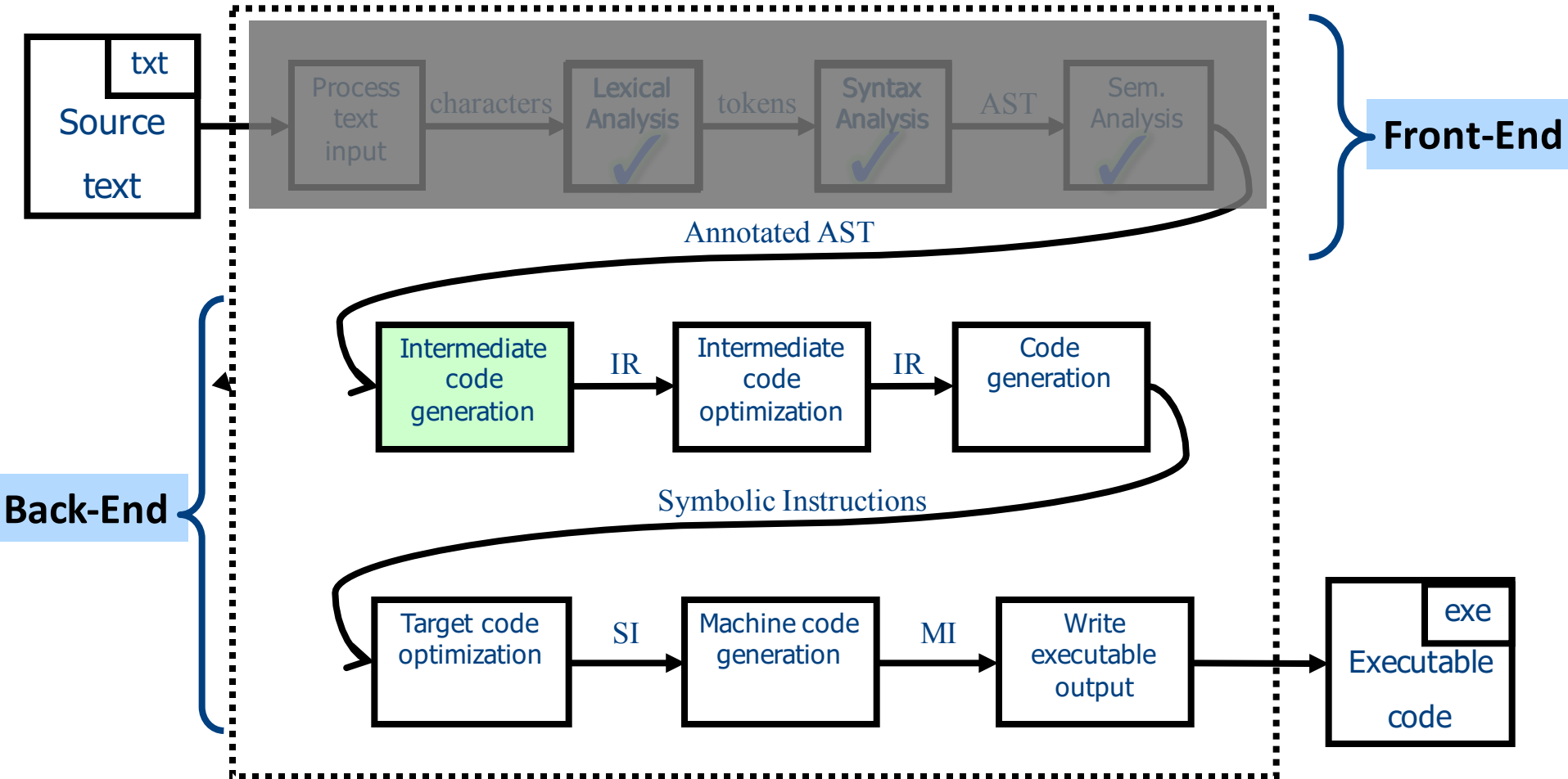
The most common reason for wanting to transform source code is to create an **executable program**.”

- Interprets machine code ...
  - Why not AST?
- Do we want to go from AST directly to MC?
  - We can, but ...
    - Machine specific
    - Very low level

# Code Generation in Stages



# Where we are



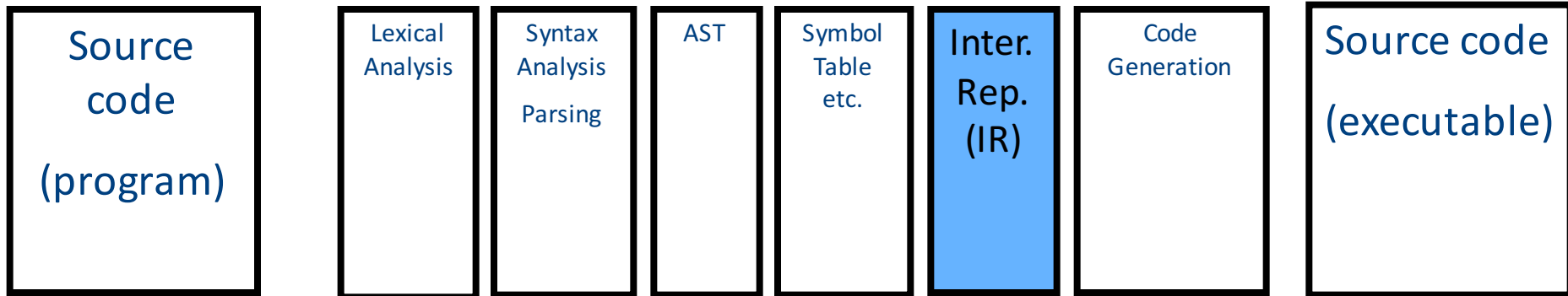
# 1 Note: Compile Time vs Runtime

- Compile time: Data structures used during program compilation
- Runtime: Data structures used during program execution
  - Activation record stack
  - Memory management
- The compiler generates code that allows the program to interact with the runtime



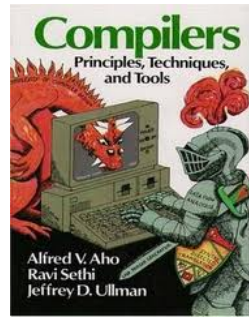
# Intermediate Representation

# Code Generation: IR



- Translating from abstract syntax (AST) to intermediate representation (IR)
  - **Three-Address Code**
- ...

# Three-Address Code IR



## Chapter 8

- A popular form of IR
- High-level assembly where instructions have at most three operands



# IR by example

# Sub-expressions example

## Source

```
int a;  
int b;  
int c;  
int d;  
a = b + c + d;  
b = a * a + b * b;
```

## IR

```
_t0 = b + c;  
a = _t0 + d;  
_t1 = a * a;  
_t2 = b * b;  
b = _t1 + _t2;
```

# Sub-expressions example

## Source

```
int a;  
int b;  
int c;  
int d;  
a = b + c + d;  
b = a * a + b * b;
```

## LIR (unoptimized)

```
_t0 = b + c;  
a = _t0 + d;  
_t1 = a * a;  
_t2 = b * b;  
b = _t1 + _t2;
```

Temporaries explicitly  
store intermediate  
values resulting from  
sub-expressions

# Variable assignments

- $\text{var} = \text{constant};$
- $\text{var}_1 = \text{var}_2;$
- $\text{var}_1 = \text{var}_2 \text{ op } \text{var}_3;$
- $\text{var}_1 = \text{constant op } \text{var}_2;$
- $\text{var}_1 = \text{var}_2 \text{ op } \text{constant};$
- $\text{var} = \text{constant}_1 \text{ op } \text{constant}_2;$
- Permitted operators are  $+, -, *, /, \%$

In the impl. var is replaced by a pointer to the symbol table

A compiler-generated temporary can be used instead of a var

# Booleans

- Boolean variables are represented as integers that have zero or nonzero values
- In addition to the arithmetic operator, TAC supports `<`, `==`, `||`, and `&&`
- How might you compile the following?

```
b = (x <= y) ;
```

```
_t0 = x < y ;  
_t1 = x == y ;  
b = _t0 || _t1 ;
```

# Unary operators

- How might you compile the following assignments from unary statements?

**y = -x;**

**z := !w;**

**y = 0 - x;**

**y = -1 \* x;**

**z = w == 0;**

# Control flow instructions

- Label introduction

**label\_name:**

Indicates a point in the code that can be jumped to

- Unconditional jump: go to instruction following label L

**Goto L;**

- Conditional jump: test condition variable t;  
if 0, jump to label L

**IfZ t Goto L;**

- Similarly : test condition variable t;  
if not zero, jump to label L

**IfNZ t Goto L;**

# Control-flow example – conditions

```
int x;  
int y;  
int z;  
  
if (x < y)  
    z = x;  
else  
    z = y;  
z = z * z;
```

```
    _t0 = x < y;  
    IfZ _t0 Goto _L0;  
    z = x;  
    Goto _L1;  
  
_L0:  
    z = y;  
  
_L1:  
    z = z * z;
```



# Control-flow example – loops

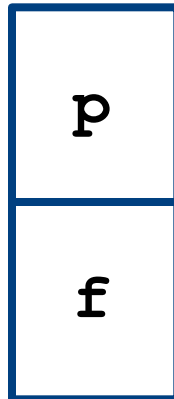
```
int x;  
int y;  
  
while (x < y) {  
    x = x * 2;  
}  
  
y = x;
```

```
_L0:  
    _t0 = x < y;  
    IfZ _t0 Goto _L1;  
    x = x * 2;  
    Goto _L0;  
  
_L1:  
    y = x;
```

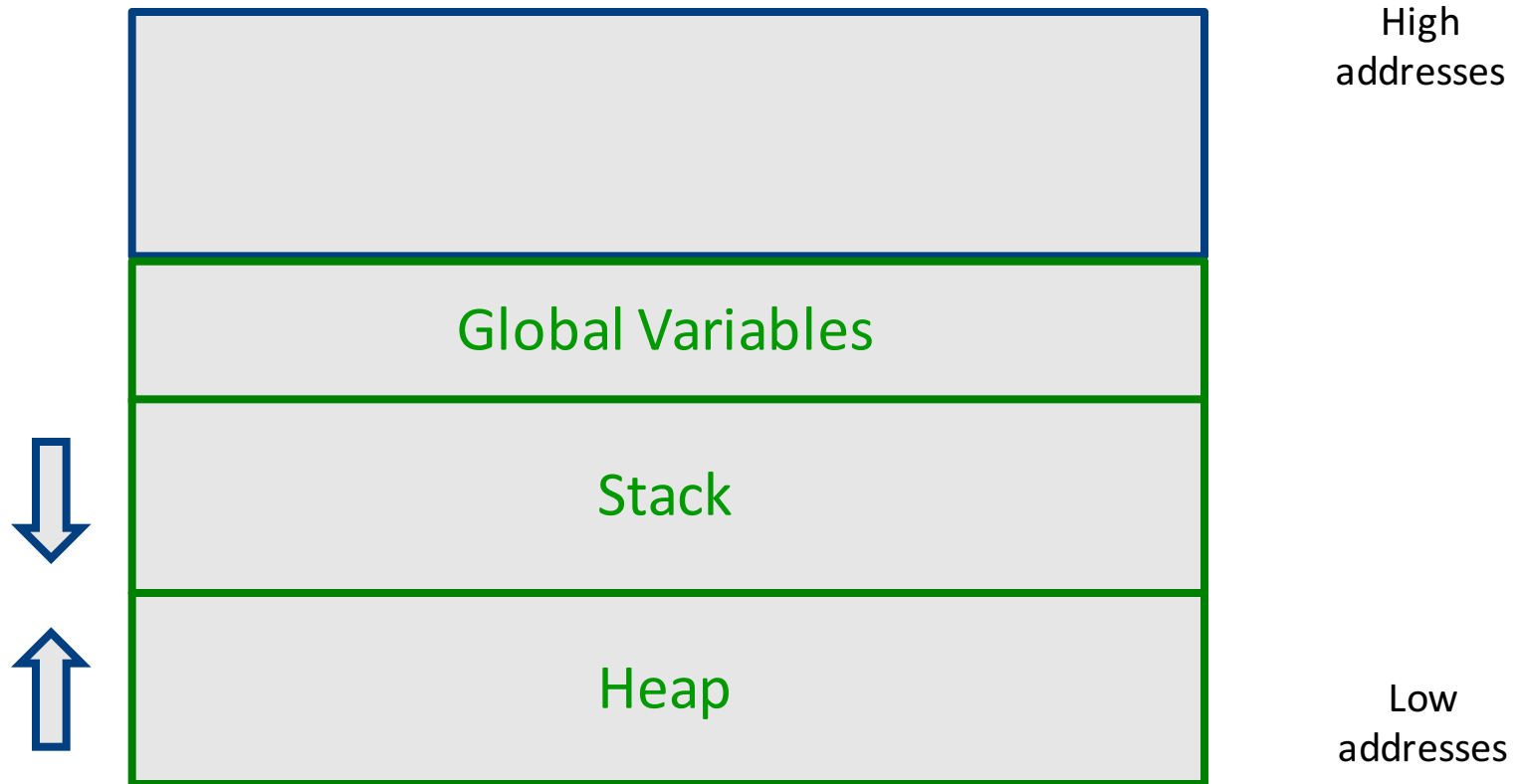
# Procedures / Functions

```
p () {  
  int y=1, x=0;  
  x=f(a1, ..., an);  
  print(x);  
}
```

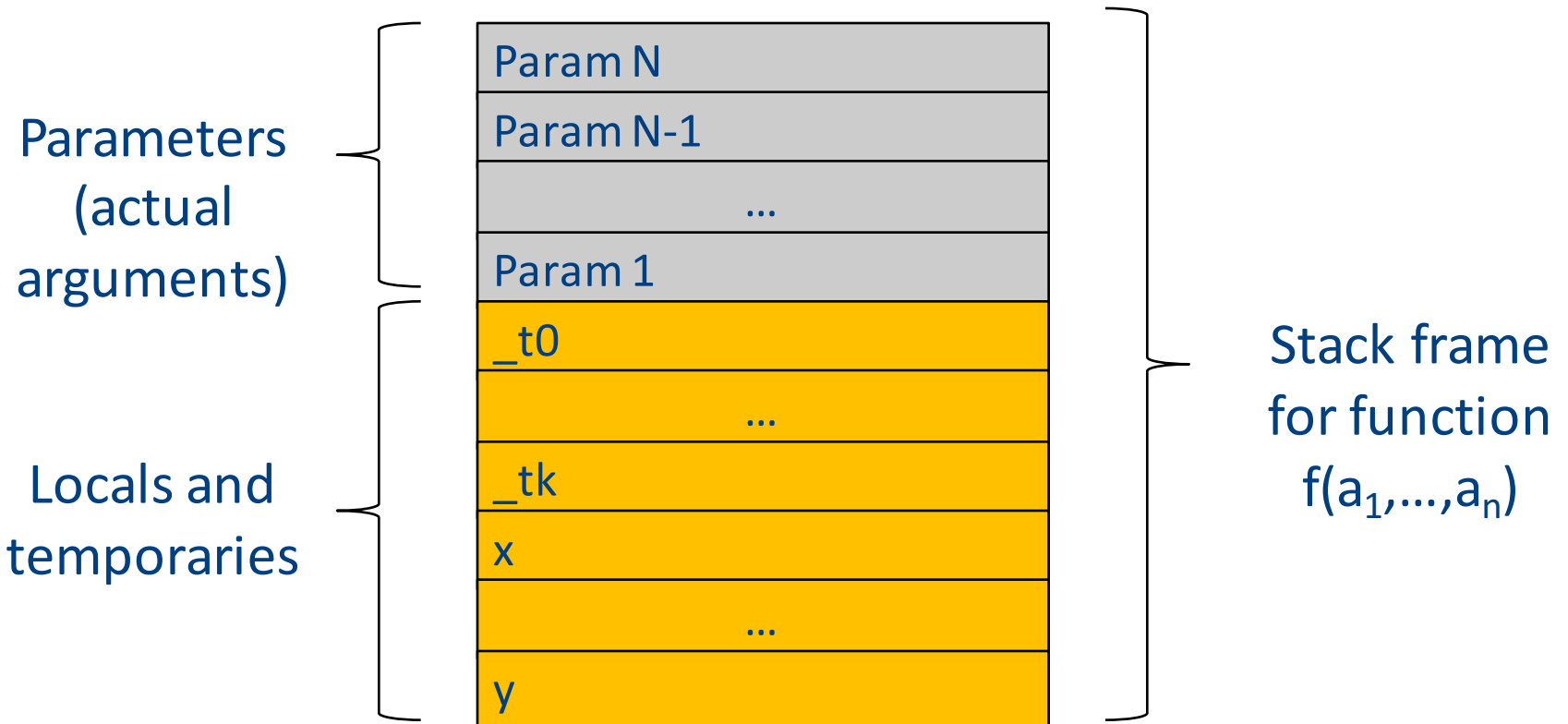
- What happens in runtime?



# Memory Layout (popular convention)



# A logical stack frame



# Procedures / Functions

- A procedure call instruction **pushes** arguments to stack and **jumps** to the function label  
A statement  **$x=f(a_1, \dots, a_n)$**  ; looks like

```
    Push a1; ... Push an;  
    Call f;  
    Pop x; // pop returned value, and copy to it
```
- Returning a value is done by **pushing** it to the stack (**return x;**)

```
    Push x;
```
- **Return control** to caller (and **roll up stack**)

```
    Return;
```

# Functions example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}

void main() {
    int w;
    w = SimpleFunction(137);
}
```

```
_SimpleFn:
    _t0 = x * y;
    _t1 = _t0 * z;
    x = _t1;
    Push x;
    Return;

main:
    _t0 = 137;
    Push _t0;
    Call _SimpleFn;
    Pop w;
```

# Memory access instructions

- **Copy** instruction:  $a = b$
- **Load/store** instructions:  
 $a = *b$                        $*a = b$
- **Address of** instruction  $a = \&b$
- **Array accesses:**  
 $a = b[i]$                        $a[i] = b$
- **Field accesses:**  
 $a = b[f]$                        $a[f] = b$
- **Memory allocation** instruction:  
 $a = \text{alloc}(\text{size})$ 
  - Sometimes left out (e.g., malloc is a procedure in C)

# Memory access instructions

- **Copy** instruction:  $a = b$
- **Load/store** instructions:  
 $a = *b$                        $*a = b$
- **Address of** instruction  $a = \&b$
- **Array accesses:**  
 $a = b[i]$                        $a[i] = b$
- **Field accesses:**  
 $a = b[f]$                        $a[f] = b$
- **Memory allocation** instruction:  
 $a = \text{alloc}(\text{size})$ 
  - Sometimes left out (e.g., malloc is a procedure in C)



# Array operations

$x := y[i]$

$t1 := \&y$  ;  $t1 = \text{address-of } y$

$t2 := t1 + i$  ;  $t2 = \text{address of } y[i]$

$x := *t2$  ; loads the value located at  $y[i]$

$x[i] := y$

$t1 := \&x$  ;  $t1 = \text{address-of } x$

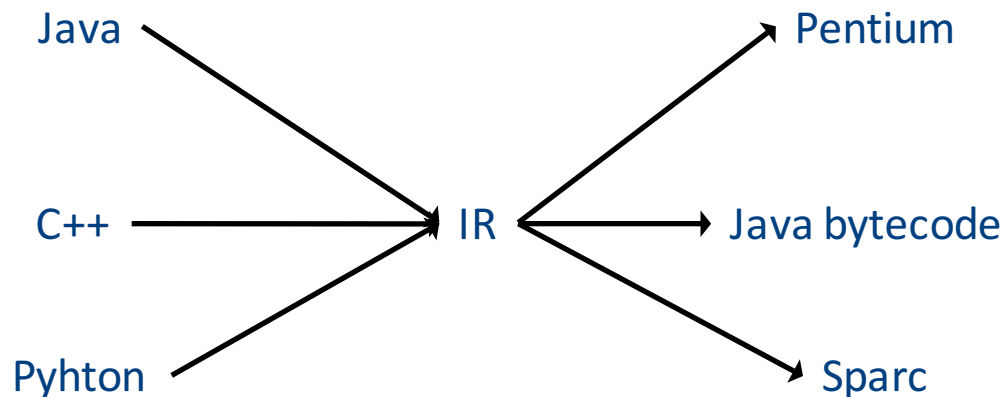
$t2 := t1 + i$  ;  $t2 = \text{address of } x[i]$

$*t2 := y$  ; store through pointer

# IR Summary

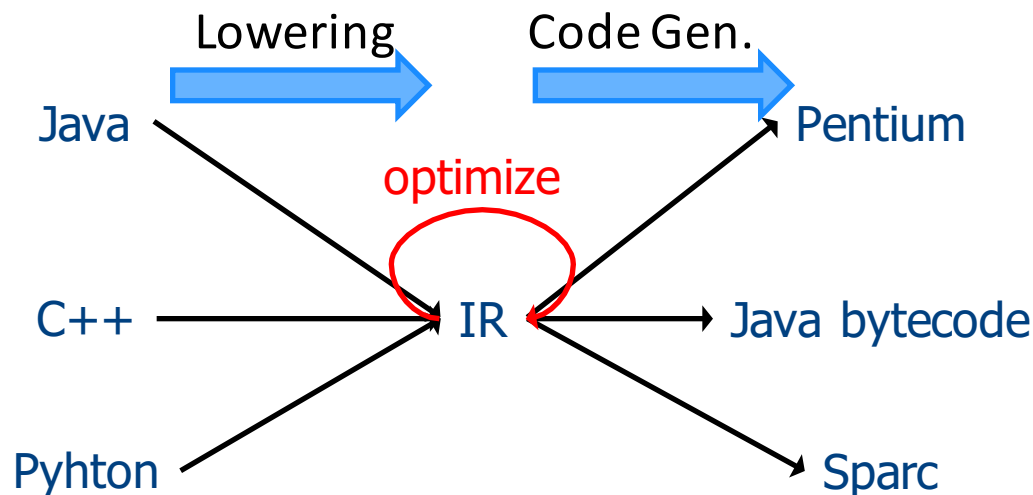
# Intermediate representation

- A language that is between the source language and the target language – not specific to any machine
- Goal 1: retargeting compiler components for different source languages/target machines



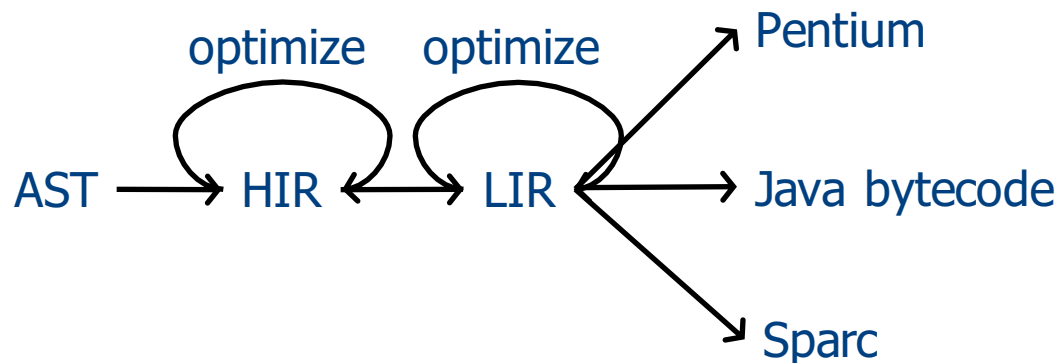
# Intermediate representation

- A language that is between the source language and the target language – not specific to any machine
- Goal 1: retargeting compiler components for different source languages/target machines
- Goal 2: machine-independent optimizer
  - Narrow interface: small number of instruction types



# Multiple IRs

- Some optimizations require high-level structure
- Others more appropriate on low-level code
- Solution: use multiple IR stages



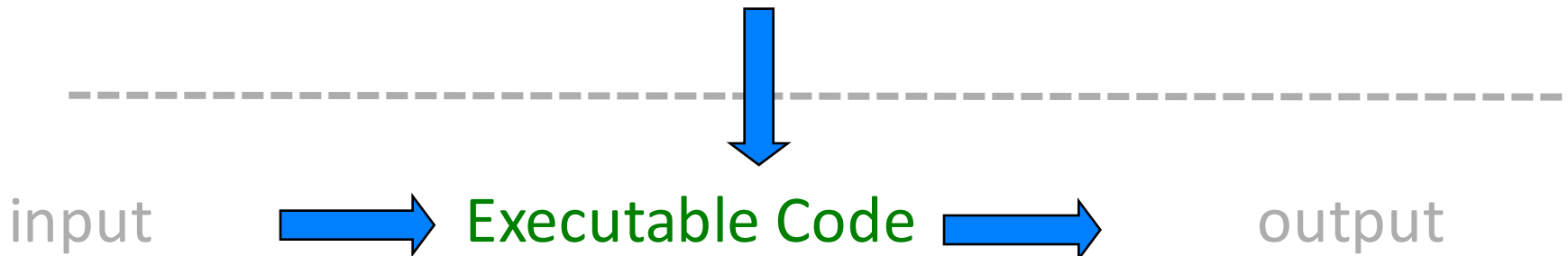
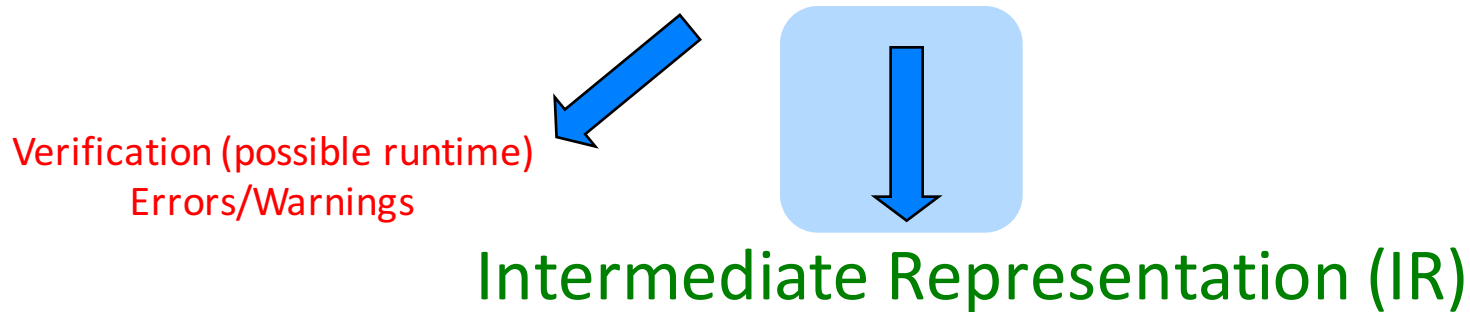
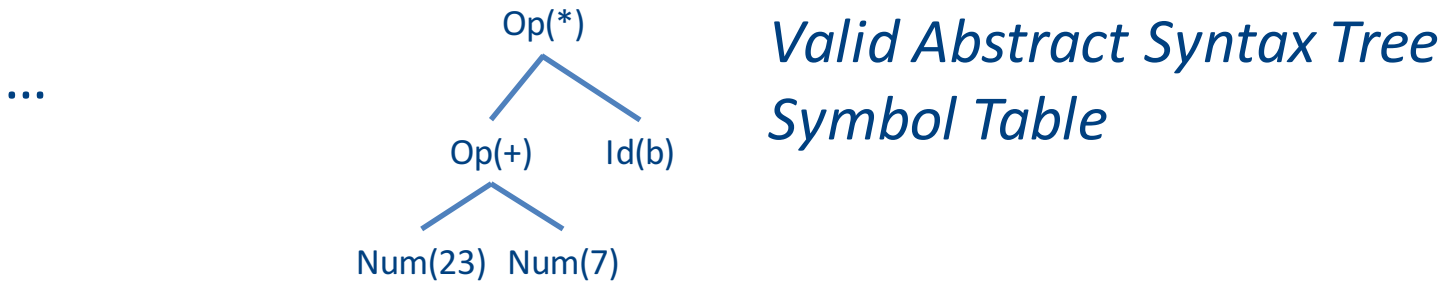
# AST vs. LIR for imperative languages

AST	LIR
Rich set of language constructs	An abstract machine language
Rich type system	Very limited type system
Declarations: types (classes, interfaces), functions, variables	Only computation-related code
Control flow statements: if-then-else, while-do, break-continue, switch, exceptions	Labels and conditional/ unconditional jumps, no looping
Data statements: assignments, array access, field access	Data movements, generic memory access statements
Expressions: variables, constants, arithmetic operators, logical operators, function calls	No sub-expressions, logical as numeric, temporaries, constants, function calls – explicit argument passing

# Lowering AST to TAC



# IR Generation





# TAC generation

- At this stage in compilation, we have
  - an AST
  - annotated with scope information
  - and annotated with type information
- To generate TAC for the program, we do recursive tree traversal
  - Generate TAC for any subexpressions or substatements
  - Using the result, generate TAC for the overall expression

# TAC generation for expressions

- Define a function **cgen**(*expr*) that generates TAC that computes an expression, stores it in a temporary variable, then hands back the name of that temporary
  - Define **cgen** directly for atomic expressions (constants, this, identifiers, etc.)
- Define **cgen** recursively for compound expressions (binary operators, function calls, etc.)

# cgen for basic expressions

```
cgen(k) = { // k is a constant  
    Choose a new temporary t  
    Emit( t = k )  
    Return t  
}
```

```
cgen(id) = { // id is an identifier  
    Choose a new temporary t  
    Emit( t = id )  
    Return t  
}
```

# cgen for binary operators

```
cgen( $e_1 + e_2$ ) = {  
    Choose a new temporary  $t$   
    Let  $t_1 = \mathbf{cgen}(e_1)$   
    Let  $t_2 = \mathbf{cgen}(e_2)$   
    Emit(  $t = t_1 + t_2$  )  
    Return  $t$   
}
```

# cgen example

```
cgen(5 + x) = {  
  Choose a new temporary  $t$   
  Let  $t_1 = \text{cgen}(5)$   
  Let  $t_2 = \text{cgen}(x)$   
  Emit(  $t = t_1 + t_2$  )  
  Return  $t$   
}
```

# cgen example

```
cgen(5 + x) = {  
  Choose a new temporary t  
  Let  $t_1 = \{$   
    Choose a new temporary t  
    Emit(  $t = 5;$ )  
    Return t  
  }  
  Let  $t_2 = \mathbf{cgen}(x)$   
  Emit(  $t = t_1 + t_2 )$   
  Return t  
}
```

# cgen example

`cgen(5 + x) = {`

    Choose a new temporary  $t$

    Let  $t_1 = \{$

        Choose a new temporary  $t$

        Emit(  $t = 5;$  )

        Return  $t$

    }

    Let  $t_2 = \{$

        Choose a new temporary  $t$

        Emit(  $t = x;$  )

        Return  $t$

    }

    Emit(  $t = t_1 + t_2;$  )

    Return  $t$

}

Returns an **arbitrary fresh** name

`t1 = 5;`

`t2 = x;`

`t = t1 + t2;`

# cgen example

`cgen(5 + x) = {`

    Choose a new temporary  $t$

    Let  $t_1 = {$

        Choose a new temporary  $t$

        Emit(  $t = 5;$  )

        Return  $t$

    }

    Let  $t_2 = {$

        Choose a new temporary  $t$

        Emit(  $t = x;$  )

        Return  $t$

    }

    Emit(  $t = t_1 + t_2;$  )

    Return  $t$

}

Returns an **arbitrary fresh** name

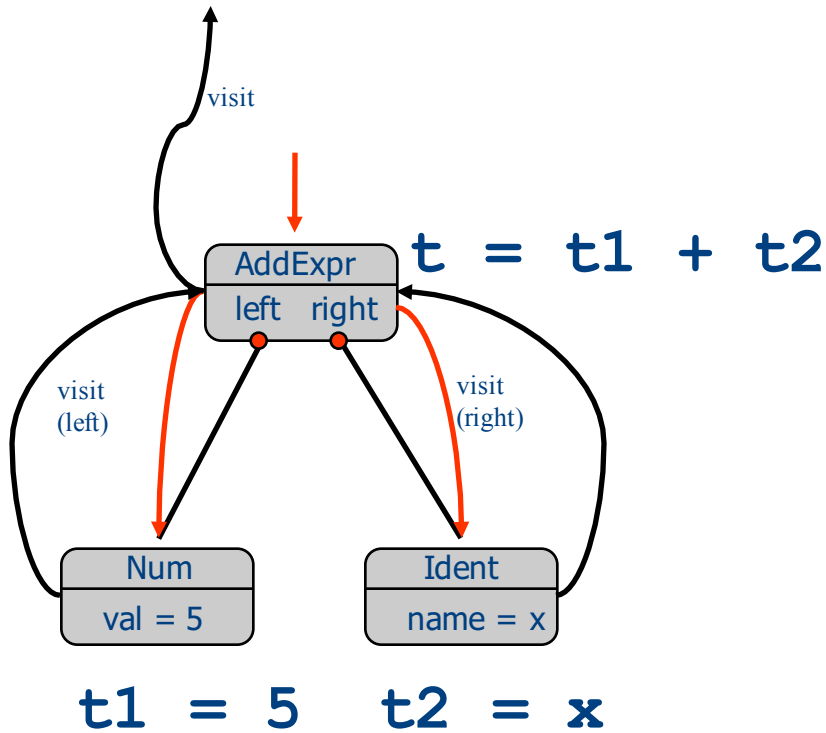
```
    _t18 = 5;  
    _t29 = x;  
    _t6 = _t18 + _t29;
```

Inefficient translation, but we will improve this later



# cgen as recursive AST traversal

cgen(5 + x)



$t1 = 5;$

$t2 = x;$

$t = t1 + t2;$

# Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**( $e_1 \text{ op } e_2$ ) = {  
    Let **A** = **cgen**( $e_1$ )  
    **c = c + 1**  
    Let **B** = **cgen**( $e_2$ )  
    **c = c + 1**  
    Emit( **\_tc** =  $A \text{ op } B$ ; )  
    Return **\_tc**  
}

# Example

`cgen( (a*b)-d)`

# Example

$c = 0$

`cgen( (a*b)-d)`

# Example

`c = 0`

```
cgen( (a*b)-d) = {  
  Let A = cgen(a*b)  
  c = c + 1  
  Let B = cgen(d)  
  c = c + 1  
  Emit( _tc = A - B; )  
  Return _tc  
}
```

# Example

`c = 0`

`cgen( (a*b)-d) = {`

`Let A = {`

`Let A = cgen(a)`

`c = c + 1`

`Let B = cgen(b)`

`c = c + 1`

`Emit( _tc = A * B; )`

`Return tc`

`}`

`c = c + 1`

`Let B = cgen(d)`

`c = c + 1`

`Emit( _tc = A - B; )`

`Return _tc`

`}`

# Example

Code

$c = 0$

$\text{cgen}( (a*b)-d) = \{$

Let A = {

here A=\_t0

Let A = { Emit(\_tc = a);, return \_tc }

$c = c + 1$

Let B = { Emit(\_tc = b);, return \_tc }

$c = c + 1$

Emit( \_tc = A \* B; )

Return \_tc

}

$c = c + 1$

Let B = { Emit(\_tc = d);, return \_tc }

$c = c + 1$

Emit( \_tc = A - B; )

Return \_tc

}



# Example

c = 0

cgen( (a\*b)-d) = {

Let A = {

here A=\_t0

Let A = { Emit(\_tc = a;), return \_tc }

c = c + 1

Let B = { Emit(\_tc = b;), return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d;), return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

Code

\_t0=a;





# Example

c = 0

cgen( (a\*b)-d) = {

Let A = {

here A=\_t0

Let A = { Emit(\_tc = a;), return \_tc }

c = c + 1

Let B = { Emit(\_tc = b;), return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d;), return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

Code

\_t0=a;

\_t1=b;



# Example

c = 0

cgen( (a\*b)-d) = {

Let A = {

here A=\_t0

Let A = { Emit(\_tc = a);, return \_tc }

c = c + 1

Let B = { Emit(\_tc = b);, return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d);, return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

Code

\_t0=a;

\_t1=b;

\_t2= \_t0\*\_t1



# Example

c = 0

cgen( (a\*b), d) = {

Let A = {

Let A = { Emit(\_tc = a;), return \_tc }

c = c + 1

Let B = { Emit(\_tc = b;), return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d;), return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

here A=\_t2

here A=\_t0

Code

\_t0=a;

\_t1=b;

\_t2=\_t0\*\_t1



# Example

c = 0

cgen( (a\*b), d) = {

Let A = {

Let A = { Emit(\_tc = a;), return \_tc }

c = c + 1

Let B = { Emit(\_tc = b;), return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d;), return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

here A=\_t2

here A=\_t0

Code

\_t0=a;

\_t1=b;

\_t2=\_t0\*\_t1

\_t3=d;



# Example

c = 0

cgen( (a\*b), d) = {

Let A = {

Let A = { Emit(\_tc = a;), return \_tc }

c = c + 1

Let B = { Emit(\_tc = b;), return \_tc }

c = c + 1

Emit( \_tc = A \* B; )

Return \_tc

}

c = c + 1

Let B = { Emit(\_tc = d;), return \_tc }

c = c + 1

Emit( \_tc = A - B; )

Return \_tc

}

here A=\_t2

here A=\_t0

Code

\_t0=a;

\_t1=b;

\_t2=\_t0\*\_t1

\_t3=d;

\_t4=\_t2-\_t3



# cgen for short-circuit disjunction

**cgen**(e1 || e2)

Emit(\_t1 = 0; \_t2 = 0;)

Let L<sub>after</sub> be a new label

Let \_t1 = **cgen**(e1)

Emit( IfNZ \_t1 Goto L<sub>after</sub> )

Let \_t2 = **cgen**(e2)

Emit( L<sub>after</sub>: )

Emit( \_t = \_t1 || \_t2; )

Return \_t

# cgen for statements

- We can extend the **cgen** function to operate over statements as well
- Unlike **cgen** for expressions, **cgen** for statements does not return the name of a temporary holding a value.
  - *(Why?)*

# cgen for simple statements

```
cgen(expr;) = {  
    cgen(expr)  
}
```



# cgen for **if-then-else**

**cgen**(if (e)  $s_1$  else  $s_2$ )

Let  $\_t$  = **cgen**(e)

Let  $L_{\text{true}}$  be a new label

Let  $L_{\text{false}}$  be a new label

Let  $L_{\text{after}}$  be a new label

Emit( IfZ  $\_t$  Goto  $L_{\text{false}}$ ; )

**cgen**( $s_1$ )

Emit( Goto  $L_{\text{after}}$ ; )

Emit(  $L_{\text{false}}$ : )

**cgen**( $s_2$ )

Emit( Goto  $L_{\text{after}}$ ; )

Emit(  $L_{\text{after}}$ : )

# cgen for **while** loops

**cgen**(while (*expr*) *stmt*)      Let  $L_{\text{before}}$  be a new label.  
Let  $L_{\text{after}}$  be a new label.  
Emit(  $L_{\text{before}}$ : )  
Let  $t = \mathbf{cgen}(\text{expr})$   
Emit( IfZ  $t$  Goto  $L_{\text{after}}$ ; )  
**cgen**(*stmt*)  
Emit( Goto  $L_{\text{before}}$ ; )  
Emit(  $L_{\text{after}}$ : )

# Our first optimization



# Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**( $e_1 \text{ op } e_2$ ) = {  
    Let **A** = **cgen**( $e_1$ )  
    **c = c + 1**  
    Let **B** = **cgen**( $e_2$ )  
    **c = c + 1**  
    Emit( **\_tc** =  $A \text{ op } B$ ; )  
    Return **\_tc**  
}

# Naïve translation

- **cgen** translation shown so far very inefficient
  - Generates (too) many temporaries – one per sub-expression
  - Generates many instructions – at least one per sub-expression
- Expensive in terms of running time and space
- Code bloat
  
- We can do much better ...

# Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**( $e_1 \text{ op } e_2$ ) = {  
    Let **A** = **cgen**( $e_1$ )  
    **c = c + 1**  
    Let **B** = **cgen**( $e_2$ )  
    **c = c + 1**  
    Emit( **\_tc** =  $A \text{ op } B$ ; )  
    Return **\_tc**  
}
- **Observation: temporaries in **cgen**( $e_1$ ) can be reused in **cgen**( $e_2$ )**

# Improving **cgen** for expressions

- Observation – naïve translation needlessly generates temporaries for leaf expressions
- **Observation – temporaries used exactly once**
  - **Once a temporary has been read it can be reused for another sub-expression**
- **cgen**( $e_1 \text{ op } e_2$ ) = {  
  Let  $\_t1$  = **cgen**( $e_1$ )  
  Let  $\_t2$  = **cgen**( $e_2$ )  
  Emit(  $\_t = \_t1 \text{ op } \_t2$ ; )  
  Return  $t$   
}
- Temporaries **cgen**( $e_1$ ) can be reused in **cgen**( $e_2$ )

# Sethi-Ullman translation

- Algorithm by Ravi Sethi and Jeffrey D. Ullman to emit optimal TAC
  - Minimizes number of temporaries
- Main data structure in algorithm is a stack of temporaries
  - Stack corresponds to recursive invocations of  $_t = \mathbf{cgen}(e)$
  - All the temporaries on the stack are live
    - Live = contain a value that is needed later on



# Live temporaries stack

- Implementation: use counter  $c$  to implement live temporaries stack
  - Temporaries  $_t(0), \dots, _t(c)$  are alive
  - Temporaries  $_t(c+1), _t(c+2)\dots$  can be reused
  - Push means increment  $c$ , pop means decrement  $c$
- In the translation of  $_t(c) = \mathbf{cgen}(e_1 \text{ op } e_2)$

$_t(c) = \mathbf{cgen}(e_1)$

-----  $c = c + 1$

$_t(c) = \mathbf{cgen}(e_2)$

-----  $c = c - 1$

$_t(c) = _t(c) \text{ op } _t(c+1)$

# Using stack of temporaries example

```
_t0 = cgen( ((c*d)-(e*f))+ (a*b) )
```

```
----- c = 0
```

```
_t0 = cgen( c*d ) - (e*f)
```

```
_t0 = c*d
```

```
----- c = c + 1
```

```
_t1 = e*f
```

```
----- c = c - 1
```

```
_t0 = _t0 - _t1
```

```
----- c = c + 1
```

```
_t1 = a*b
```

```
----- c = c - 1
```

```
_t0 = _t0 + _t1
```

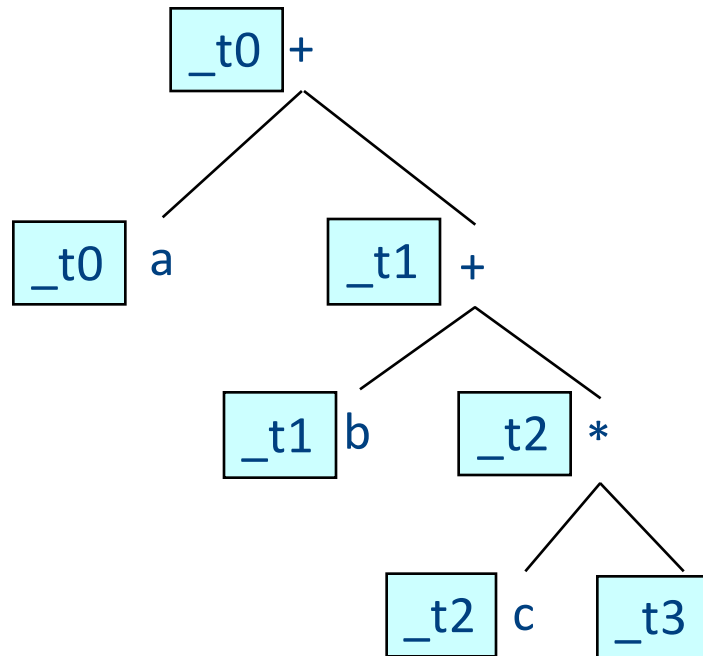
# Weighted register allocation

- Suppose we have expression  $e_1 \text{ op } e_2$ 
  - $e_1, e_2$  without side-effects
    - That is, no function calls, memory accesses,  $++x$
  - $\mathbf{cgen}(e_1 \text{ op } e_2) = \mathbf{cgen}(e_2 \text{ op } e_1)$
  - *Does order of translation matter?*
- Sethi & Ullman's algorithm translates heavier sub-tree first
  - Optimal local (per-statement) allocation for side-effect-free statements

# Example

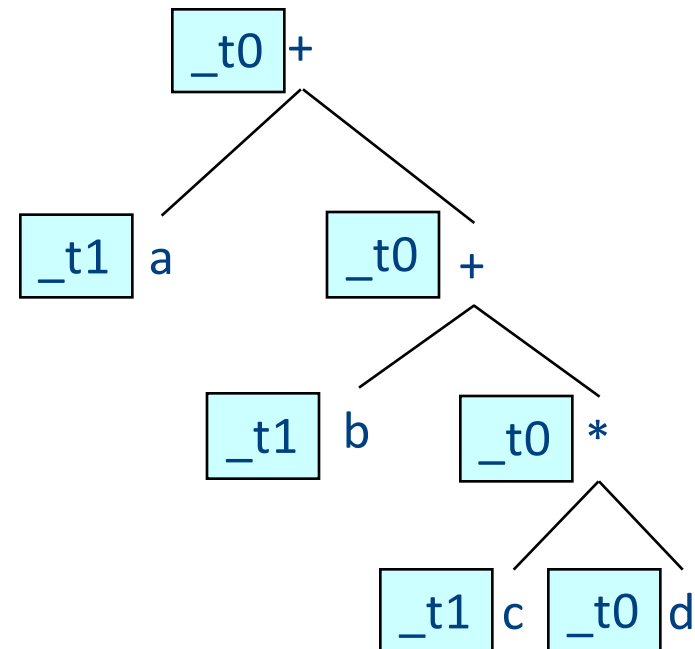
$\_t0 = \text{cgen}( a+(b+(c*d)) )$   
*+ and \* are commutative operators*

left child first



4 temporaries

right child first



2 temporary

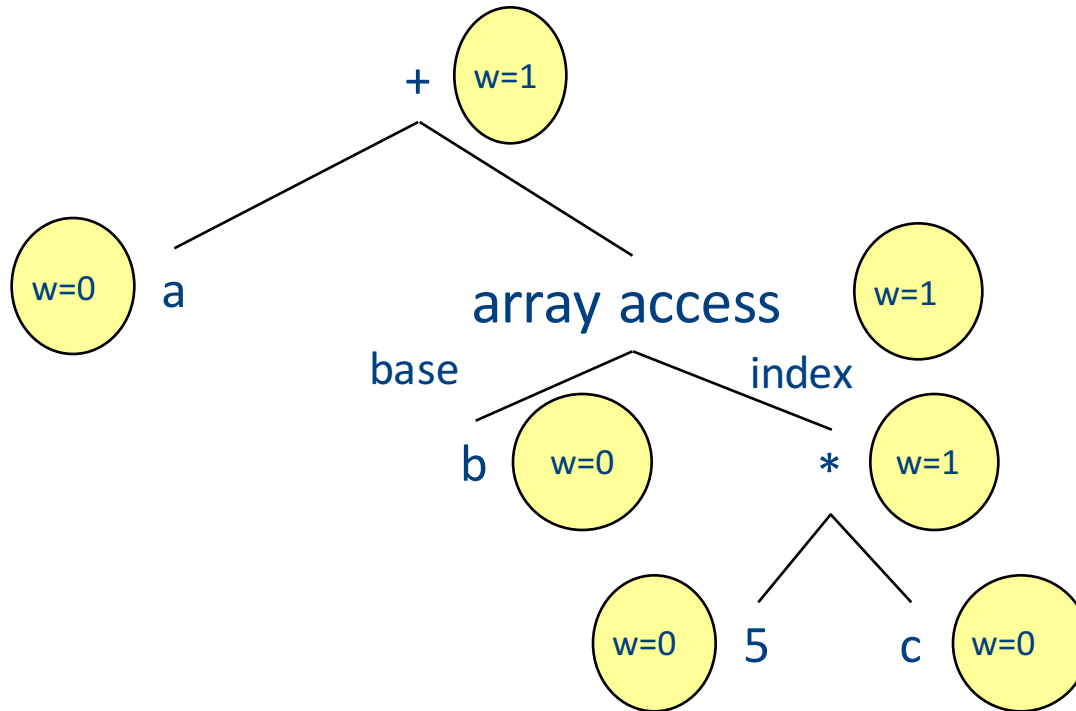
# Weighted register allocation

- Can save registers by **re-ordering** subtree **computations**
- Label each node with its **weight**
  - Weight = number of registers needed
  - Leaf weight known
  - Internal node weight
    - $w(\text{left}) > w(\text{right})$  then  $w = \text{left}$
    - $w(\text{right}) > w(\text{left})$  then  $w = \text{right}$
    - $w(\text{right}) = w(\text{left})$  then  $w = \text{left} + 1$
- Choose **heavier** child as first to be translated
- **WARNING:** have to check that no side-effects exist before attempting to apply this optimization
  - pre-pass on the tree

# Weighted reg. alloc. example

`_t0 = cgen( a+b[5*c] )`

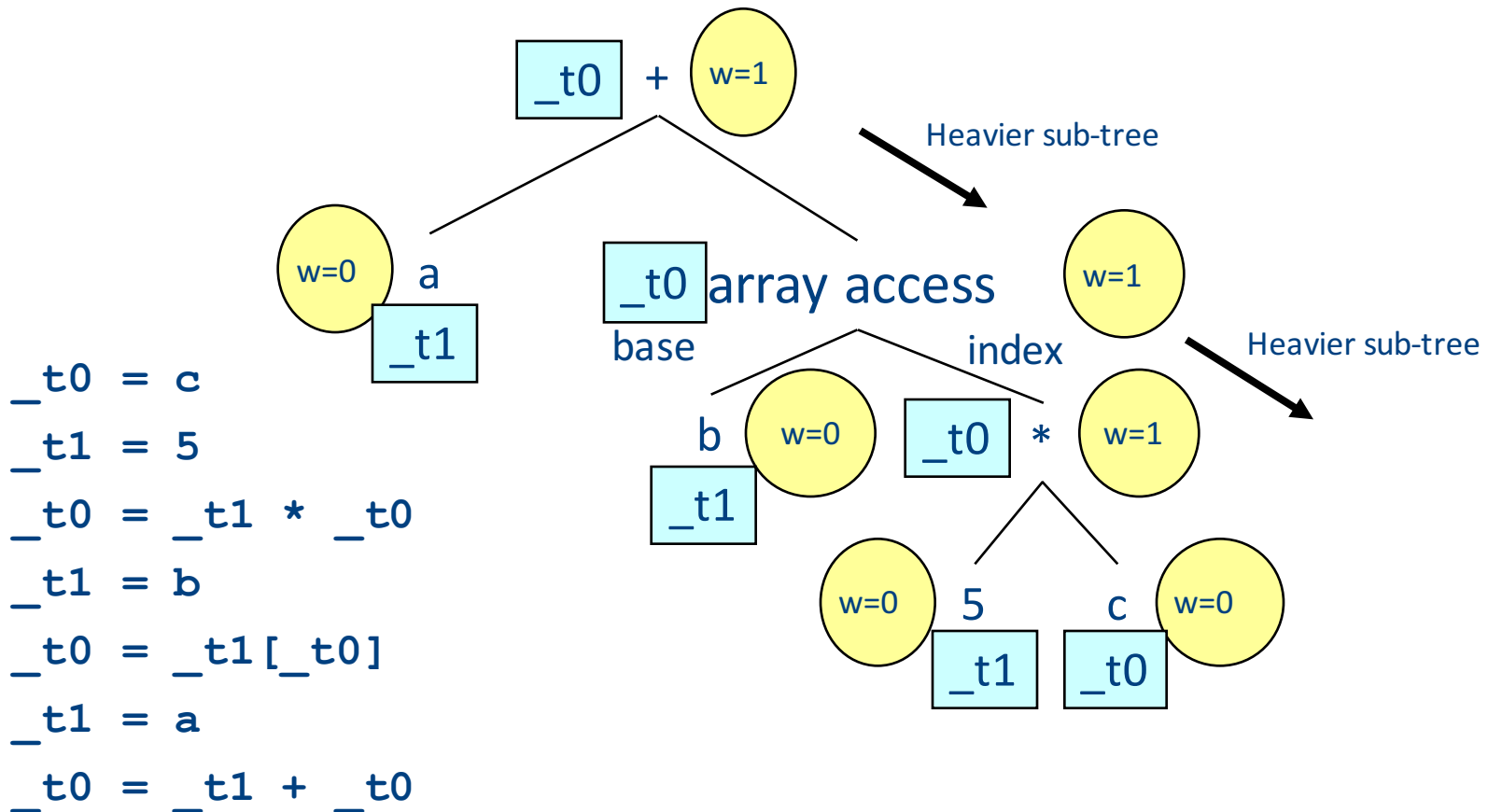
- Phase 1: - check absence of side-effects in expression tree
- assign weight to each AST node



# Weighted reg. alloc. example

`_t0 = cgen( a+b[5*c] )`

Phase 2: - use weights to decide on order of translation



# Note on weighted register allocation

- **Must** reset temporaries counter after every statement: `x=y; y=z`

– should **not** be translated to

```
_t0 = y;  
x = _t0;  
_t1 = z;  
y = _t1;
```

– But rather to

```
_t0 = y;  
x = _t0; # Finished translating statement. Set c=0  
_t0 = z;  
y = _t0;
```



# Code generation for procedure calls (+ a few words on the runtime system)



# Code generation for procedure calls

- Compile time generation of code for procedure invocations
- Activation Records (aka Stack Frames)

# Supporting Procedures

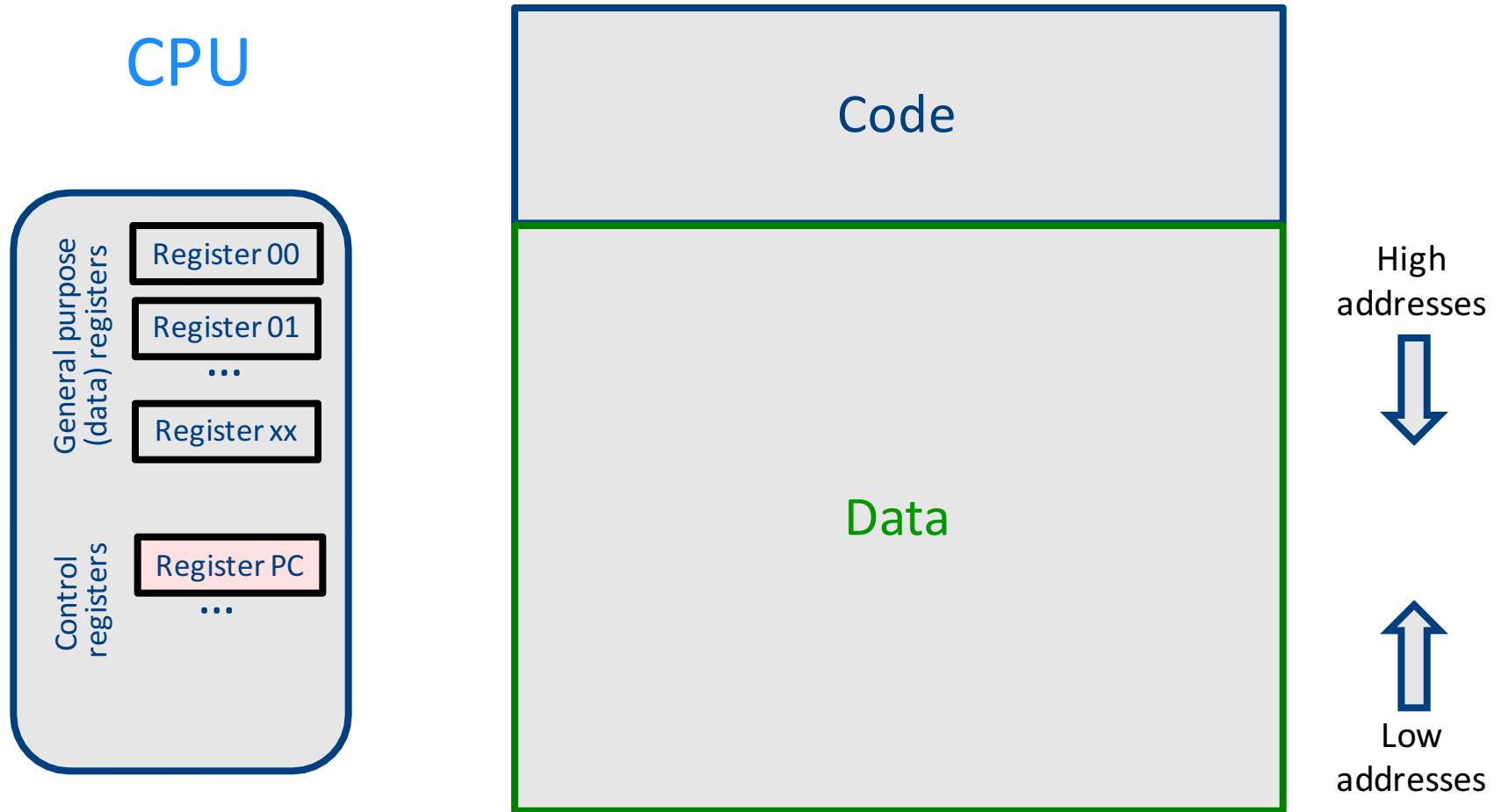
- **Stack**: a new computing environment
  - e.g., temporary memory for **local variables**
- Passing information into the new environment
  - **Parameters**
- **Transfer** of **control** to/from procedure
- Handling return values

# Calling Conventions

- In general, compiler can use any convention to handle procedures
- In practice, CPUs specify standards
  - Aka calling conventios
  - Allows for compiler interoperability
    - Libraries!

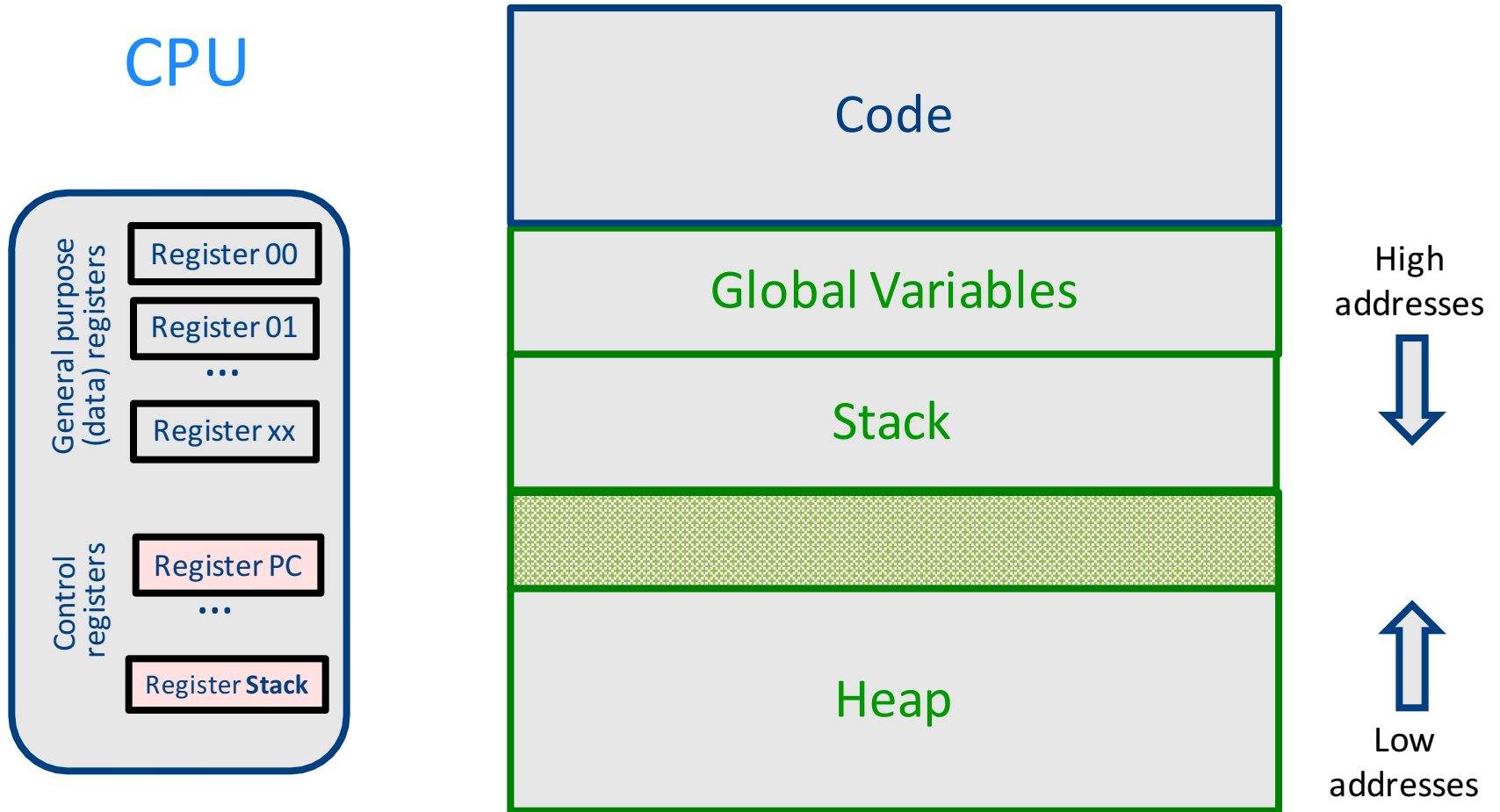
# Abstract Register Machine

(High Level View)

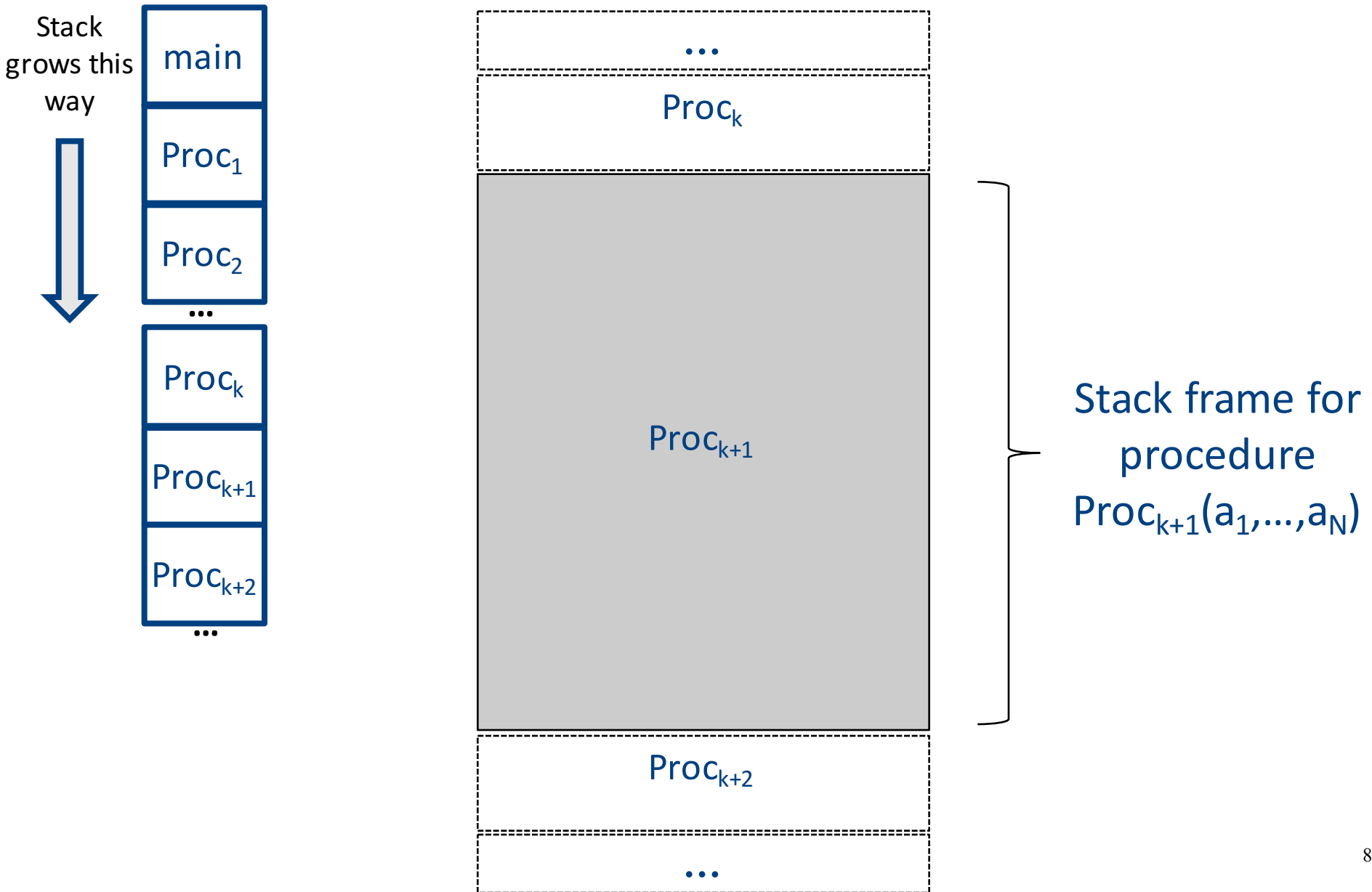


# Abstract Register Machine

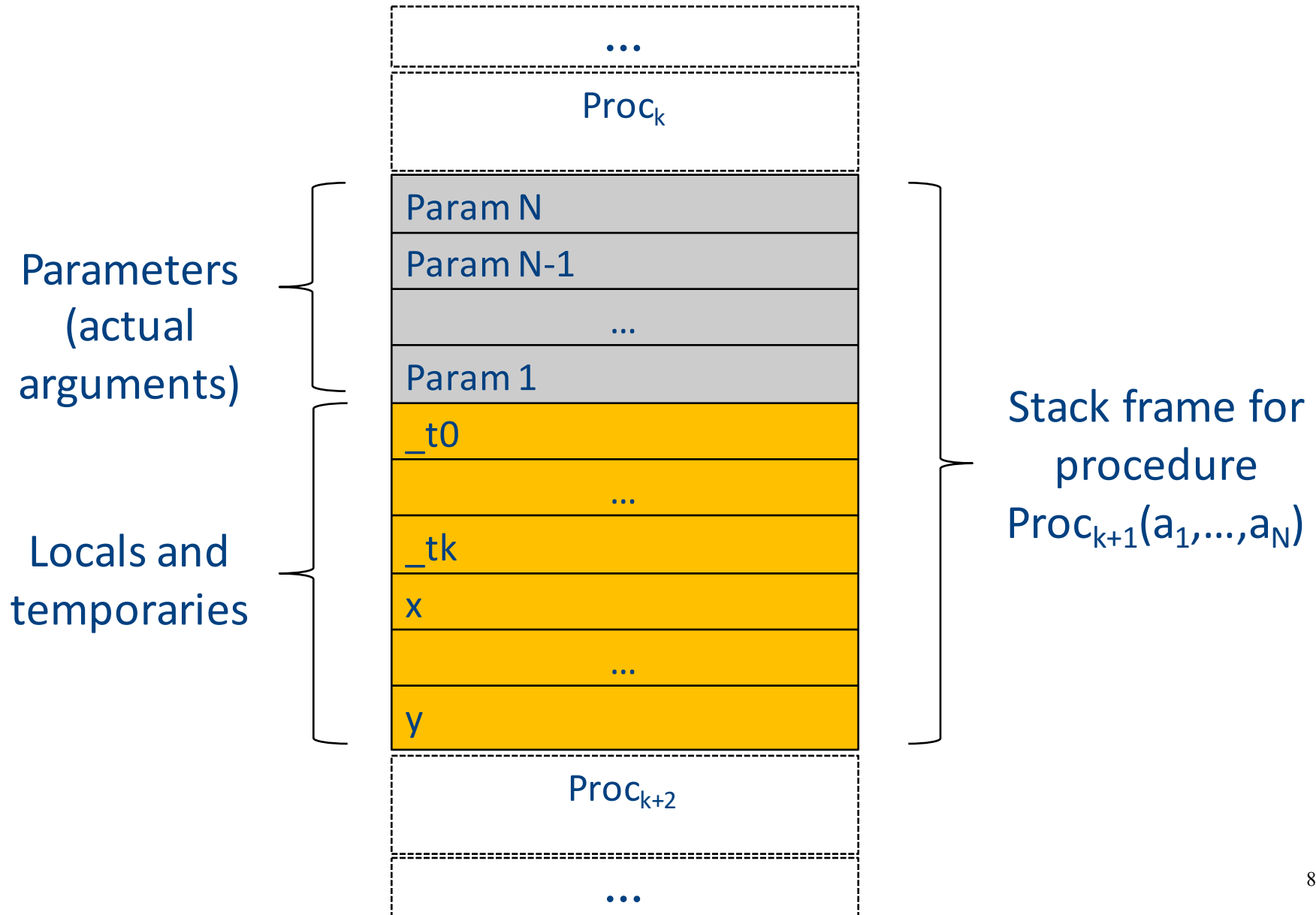
(High Level View)



# Abstract Activation Record Stack



# Abstract Stack Frame





# Handling Procedures

- Store local variables/temporaries in a **stack**
- A function call instruction pushes arguments to stack and jumps to the function label

A statement  **$x=f(a_1, \dots, a_n)$** ; looks like

**Push  $a_1$ ; ... Push  $a_n$ ;**

**Call  $f$ ;**

**Pop  $x$ ; // copy returned value**

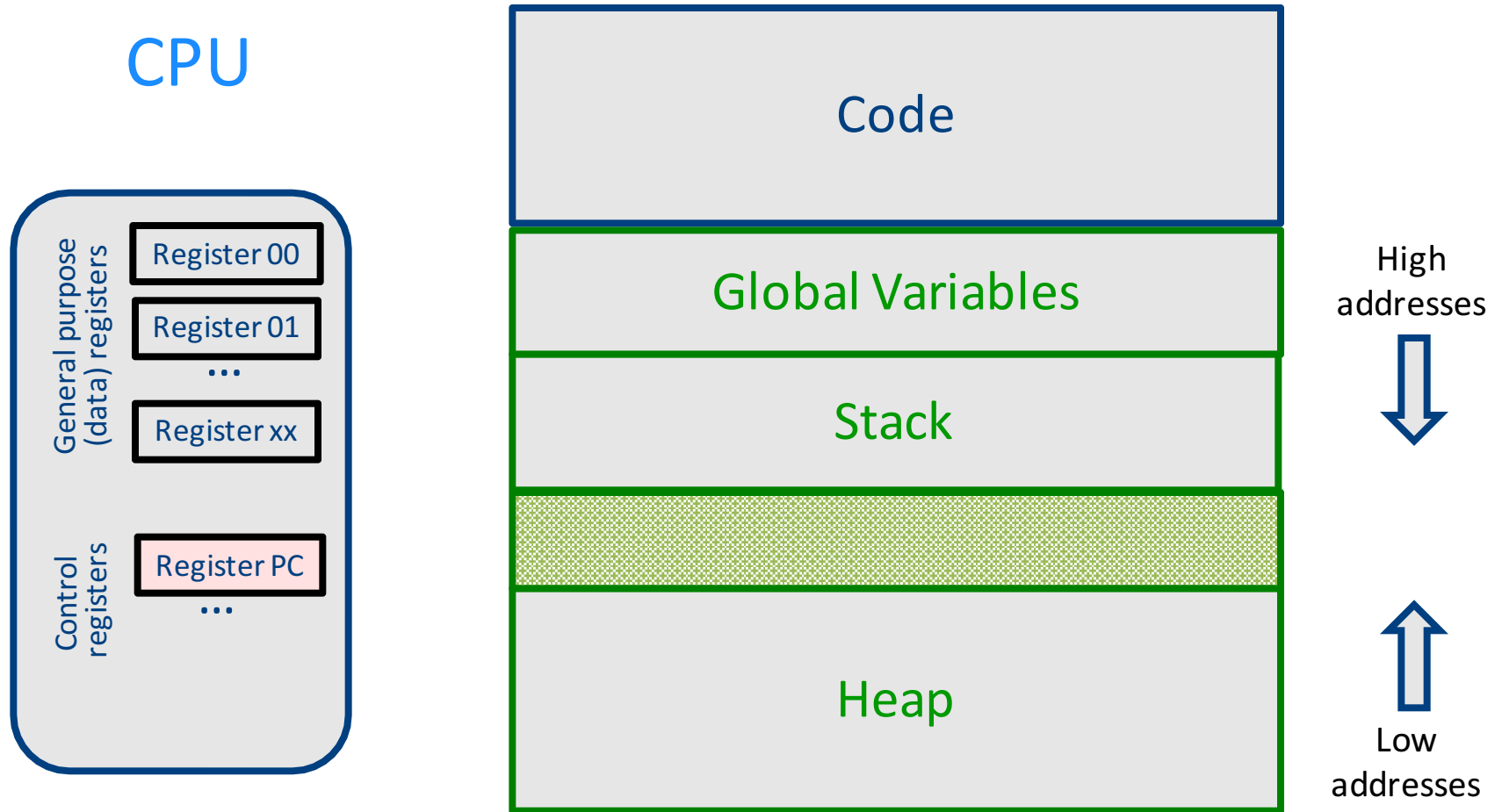
- Returning a value is done by pushing it to the stack (**return  $x$ ;**)

**Push  $x$ ;**

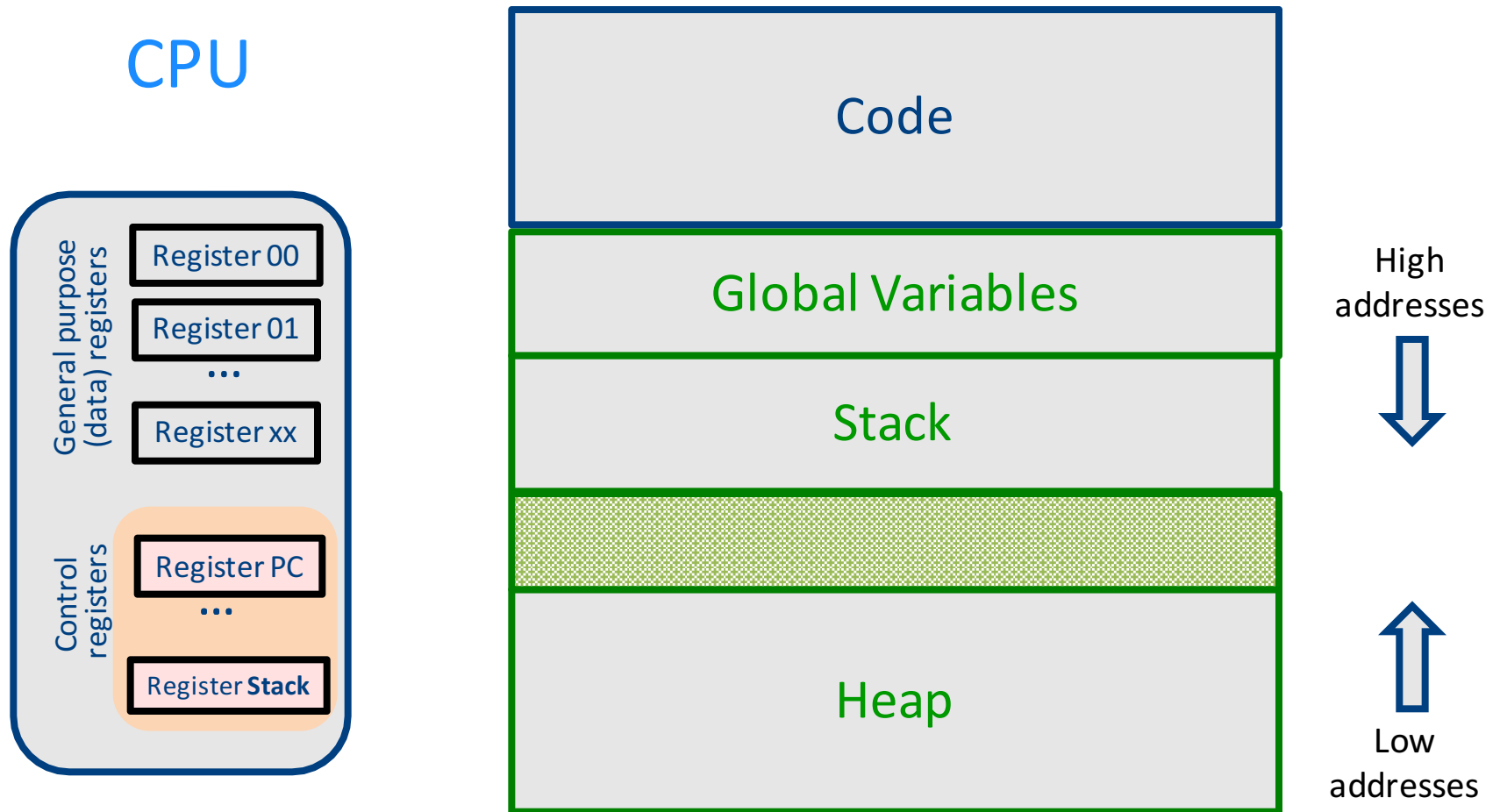
- Return control to caller (and roll up stack)

**Return;**

# Abstract Register Machine



# Abstract Register Machine



# Intro: Functions Example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}

void main() {
    int w;
    w = SimpleFunction(137);
}
```

```
_SimpleFn:
    _t0 = x * y;
    _t1 = _t0 * z;
    x = _t1;
    Push x;
    Return;

main:
    _t0 = 137;
    Push _t0;
    Call _SimpleFn;
    Pop w;
```

# What Can We Do with Procedures?

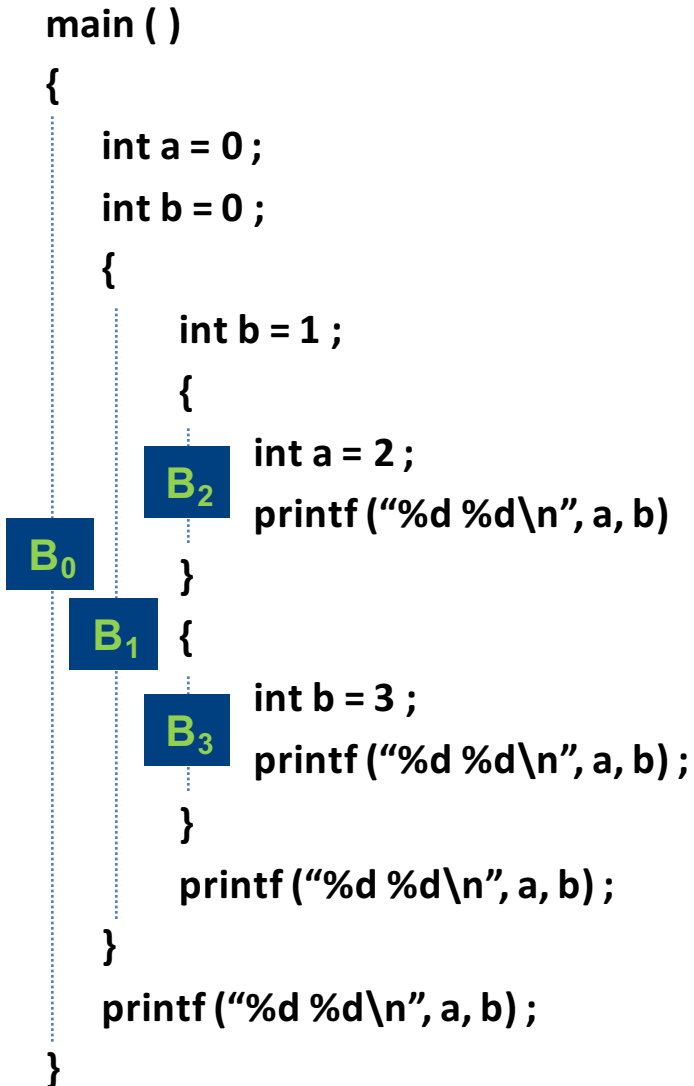
- Declarations & Definitions
- Call & Return
- Jumping out of procedures
- Passing & Returning procedures as parameters

# Design Decisions

- Scoping rules
  - Static scoping vs. dynamic scoping
- Caller/callee conventions
  - Parameters
  - Who saves register values?
- Allocating space for local variables

# Static (lexical) Scoping

```
main ( )
{
    int a = 0;
    int b = 0;
    {
        int b = 1;
        {
            B2 int a = 2;
            printf ("%d %d\n", a, b)
        }
        B1 {
            B3 int b = 3;
            printf ("%d %d\n", a, b);
        }
        printf ("%d %d\n", a, b);
    }
    printf ("%d %d\n", a, b);
}
```



a name refers to  
its (closest)  
enclosing **scope**

**known at  
compile time**

Declaration	Scopes
a=0	B0,B1,B3
b=0	B0
b=1	B1,B2
a=2	B2
b=3	B3

# Dynamic Scoping

- Each identifier is associated with a global stack of bindings
- When entering scope where identifier is declared
  - push declaration on identifier stack
- When exiting scope where identifier is declared
  - pop identifier stack
- **Evaluating the identifier in any context binds to the current top of stack**
- **Determined at runtime**



# Example

```
int x = 42;
```

```
int f() { return x; }
```

```
int g() { int x = 1; return f(); }
```

```
int main() { return g(); }
```

- What value is returned from main?
- Static scoping?
- Dynamic scoping?

# Why do we care?

- We need to generate code to access variables
- Static scoping
  - Identifier binding is known at compile time
  - “Address” of the variable is known at compile time
  - Assigning addresses to variables is part of code generation
  - No runtime errors of “access to undefined variable”
  - Can check types of variables

# Variable addresses for static scoping: first attempt

```
int x = 42;
```

```
int f() { return x; }
```

```
int g() { int x = 1; return f(); }
```

```
int main() { return g(); }
```

identifier	address
x (global)	0x42
x (inside g)	0x73

# Variable addresses for static scoping: first attempt

```
int a [11] ;

void quicksort(int m, int n) {
    int i;
    if (n > m) {
        i = partition(m, n);
        quicksort (m, i-1) ;
        quicksort (i+1, n) ;
    }

    main() {
    ...
    quicksort (1, 9) ;
    }
```

**what is the address  
of the variable “i” in  
the procedure  
quicksort?**

# Compile-Time Information on Variables

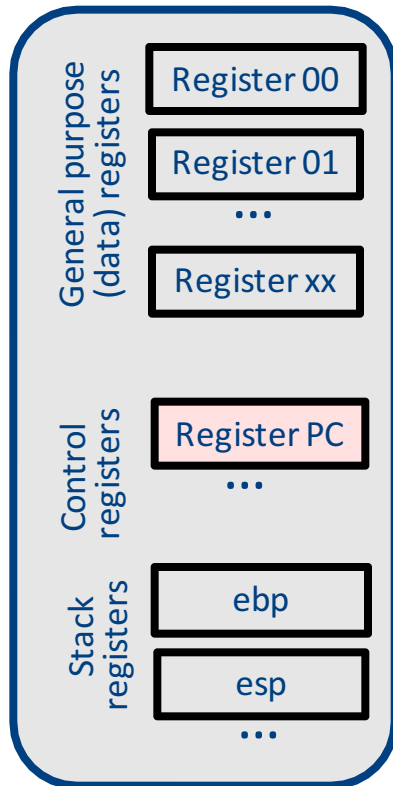
- Name
- Type
- Scope
  - when is it recognized
- Duration
  - Until when does its value exist
- Size
  - How many bytes are required at runtime
- Address
  - Fixed
  - Relative
  - Dynamic

# Activation Record (Stack Frames)

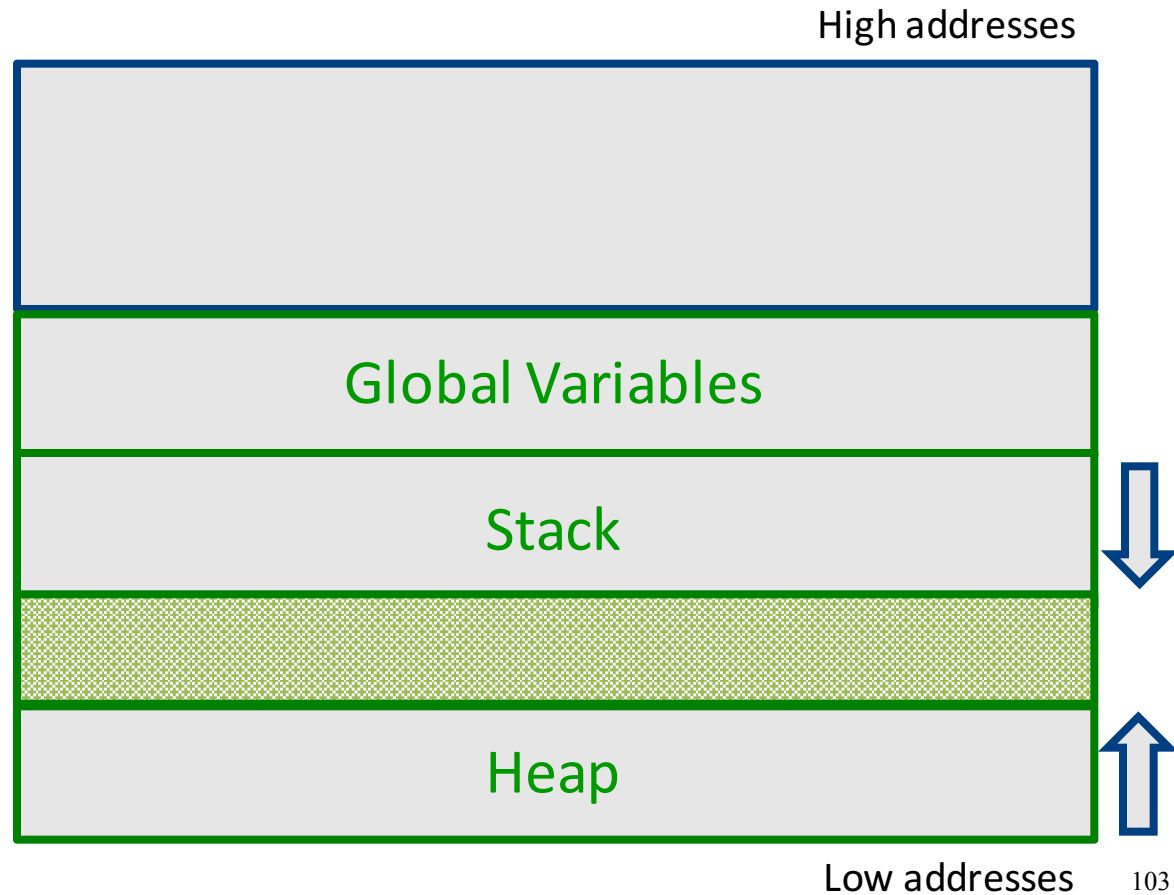
- separate space for each procedure **invocation**
- **managed at runtime**
  - **code for managing it generated by the compiler**
- desired properties
  - efficient allocation and deallocation
    - procedures are called frequently
  - variable size
    - different procedures may require different memory sizes

# Semi-Abstract Register Machine

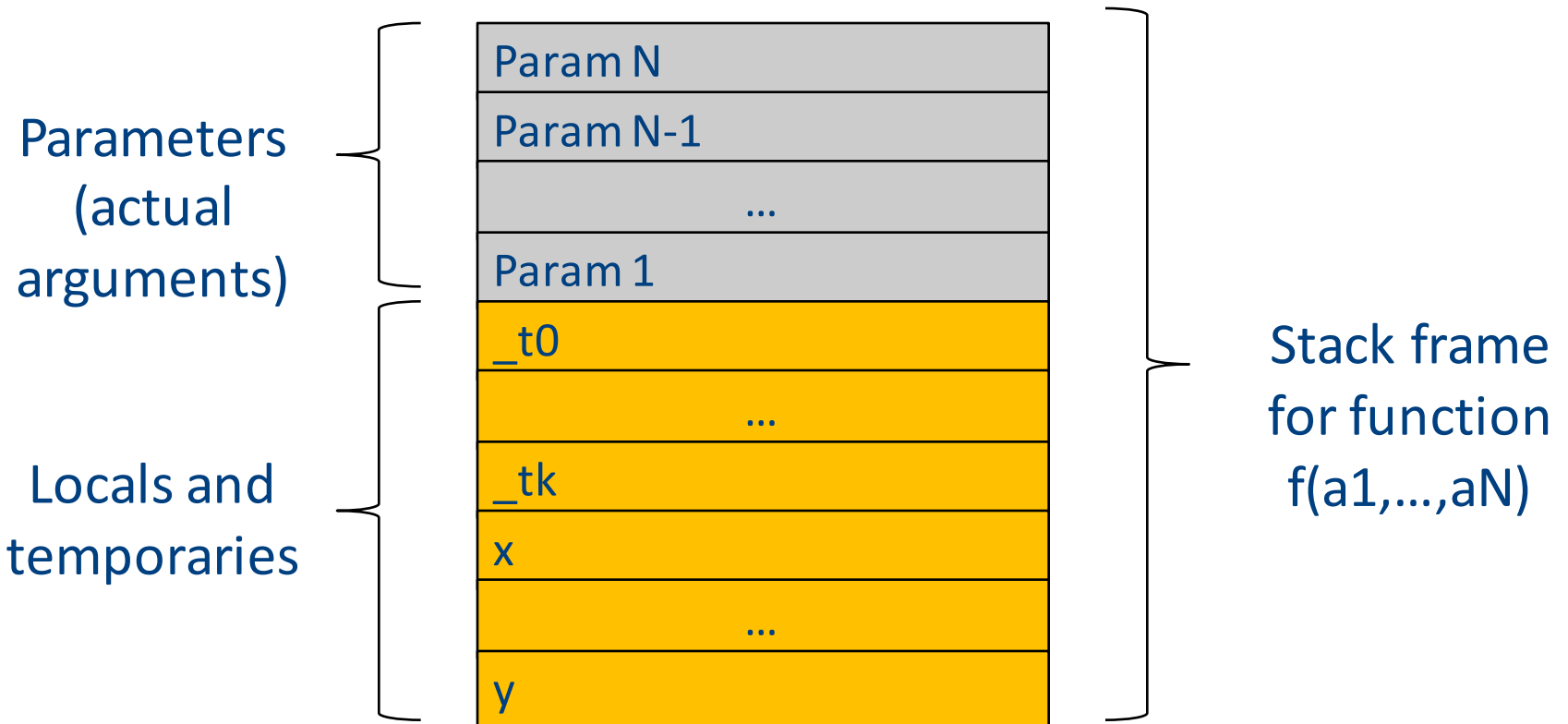
CPU



Main Memory



# A Logical Stack Frame (Simplified)

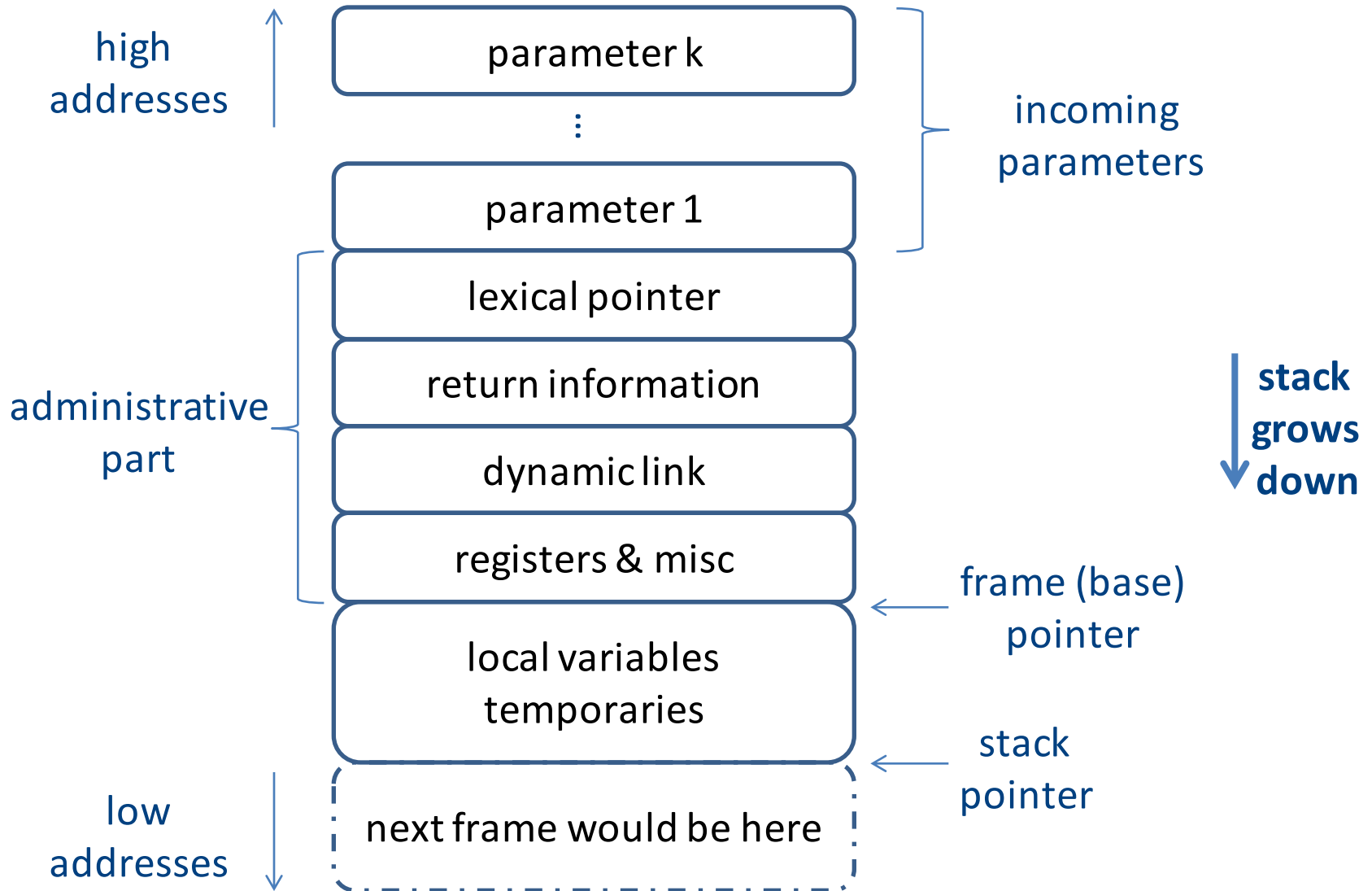




# Runtime Stack

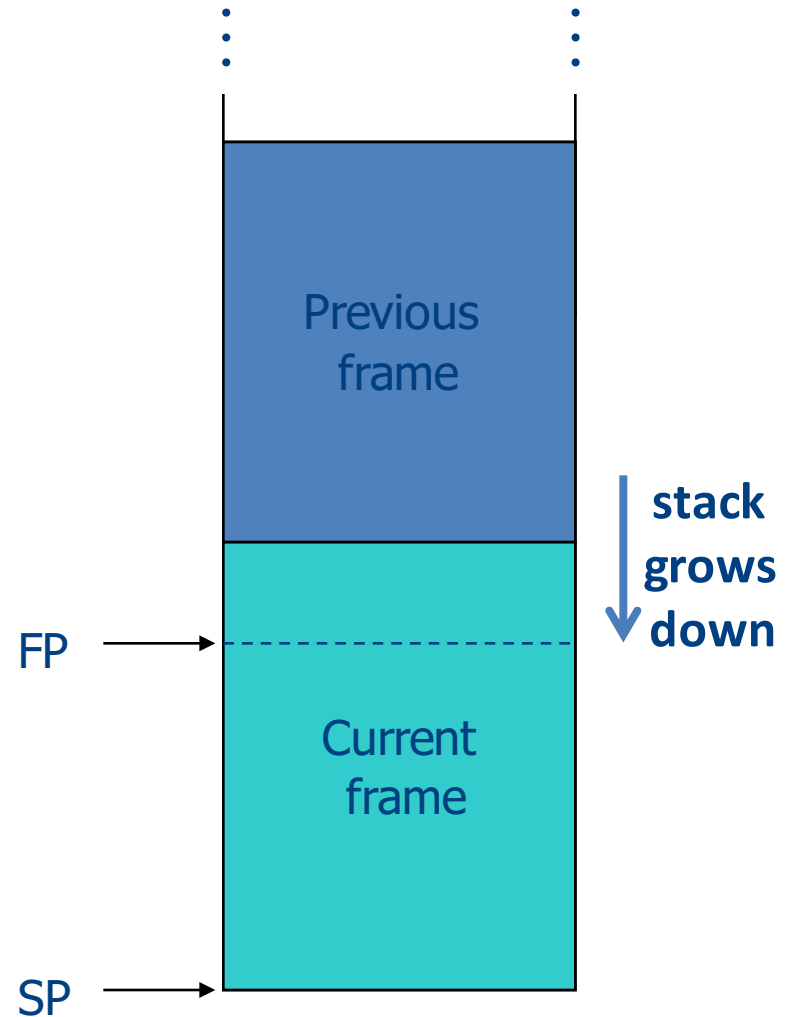
- Stack of activation records
- Call = push new activation record
- Return = pop activation record
- Only one “active” activation record – top of stack
- How do we handle recursion?

# Activation Record (frame)



# Runtime Stack

- SP – stack pointer
  - top of current frame
- FP – frame pointer
  - base of current frame
    - Sometimes called BP (base pointer)
    - Usually points to a “fixed” offset from the “start” of the frame



# Code Blocks

- Programming language provide code blocks

```
void foo()  
{  
    int x = 8 ; y=9;//1  
    { int x = y * y ;//2 }  
    { int x = y * 7 ;//3}  
        x = y + 1;  
}
```

administrative
x1
y1
x2
x3
...

# L-Values of Local Variables

- The offset in the stack is known at compile time
- $L\text{-val}(x) = FP + \text{offset}(x)$
- $x = 5 \Rightarrow$  Load\_Constant 5, R3  
Store R3,  $\text{offset}(x)(FP)$

# Pentium Runtime Stack

Register	Usage
ESP	Stack pointer
EBP	Base pointer

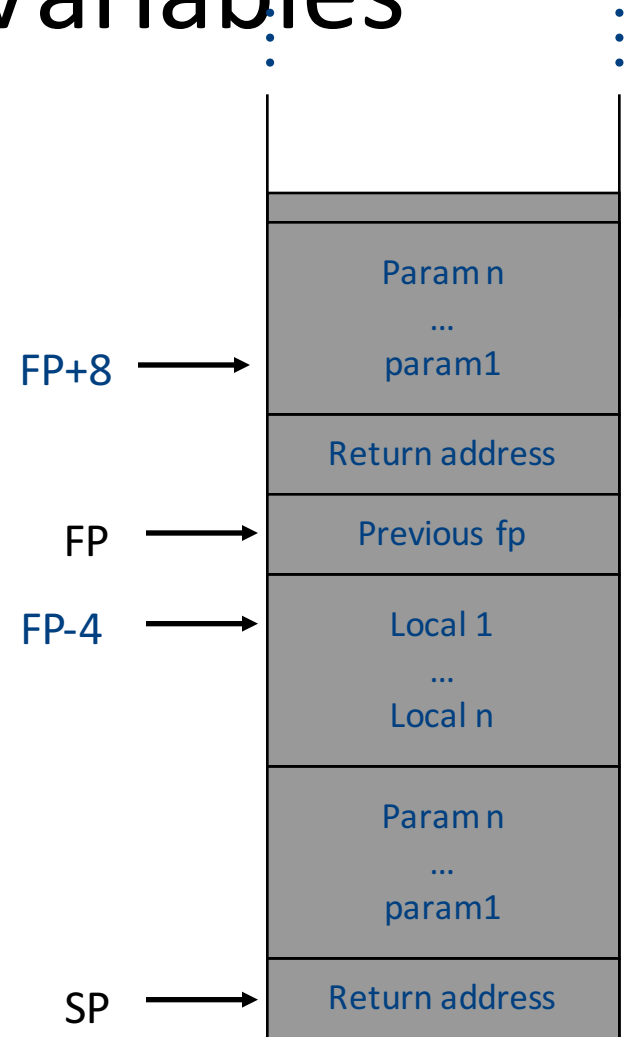
Pentium stack registers

Instruction	Usage
push, pusha,...	push on runtime stack
pop,popa,...	Base pointer
call	transfer control to called routine
return	transfer control back to caller

Pentium stack and call/ret instructions

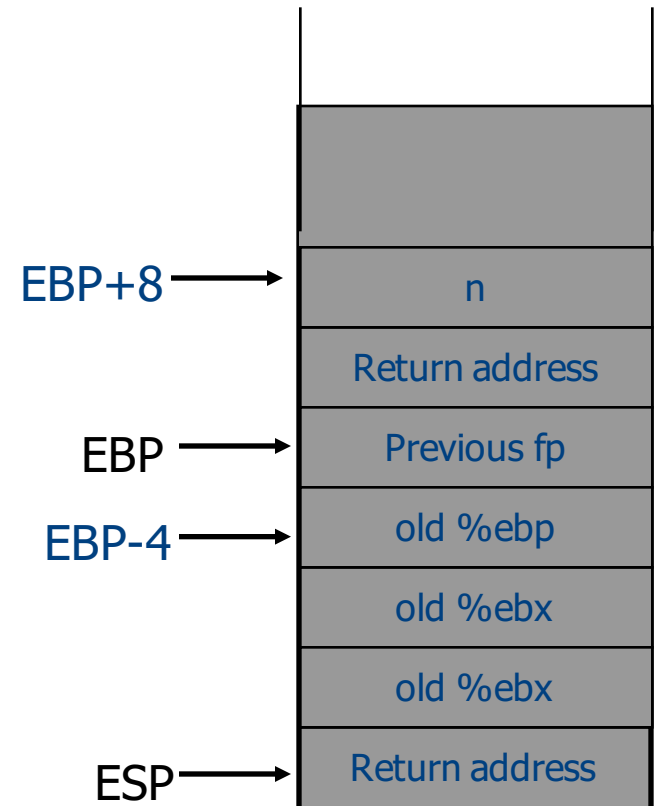
# Accessing Stack Variables

- Use offset from FP (%ebp)
  - Remember: stack grows downwards
- Above FP = parameters
- Below FP = locals
- Examples
  - $\%ebp + 4 = \text{return address}$
  - $\%ebp + 8 = \text{first parameter}$
  - $\%ebp - 4 = \text{first local}$



# Factorial – fact (int n)

```
fact:
pushl %ebp           # save ebp
movl %esp,%ebp      # ebp=esp
pushl %ebx          # save ebx
movl 8(%ebp),%ebx   # ebx = n
cmpl $1,%ebx       # n = 1 ?
jle .lresult       # then done
leal -1(%ebx),%eax  # eax = n-1
pushl %eax          #
call fact          # fact(n-1)
imull %ebx,%eax     # eax=retv*n
jmp .lreturn       #
.lresult:
movl $1,%eax       # retv
.lreturn:
movl -4(%ebp),%ebx  # restore ebx
movl %ebp,%esp     # restore esp
popl %ebp          # restore ebp
```



(stack in intermediate point)

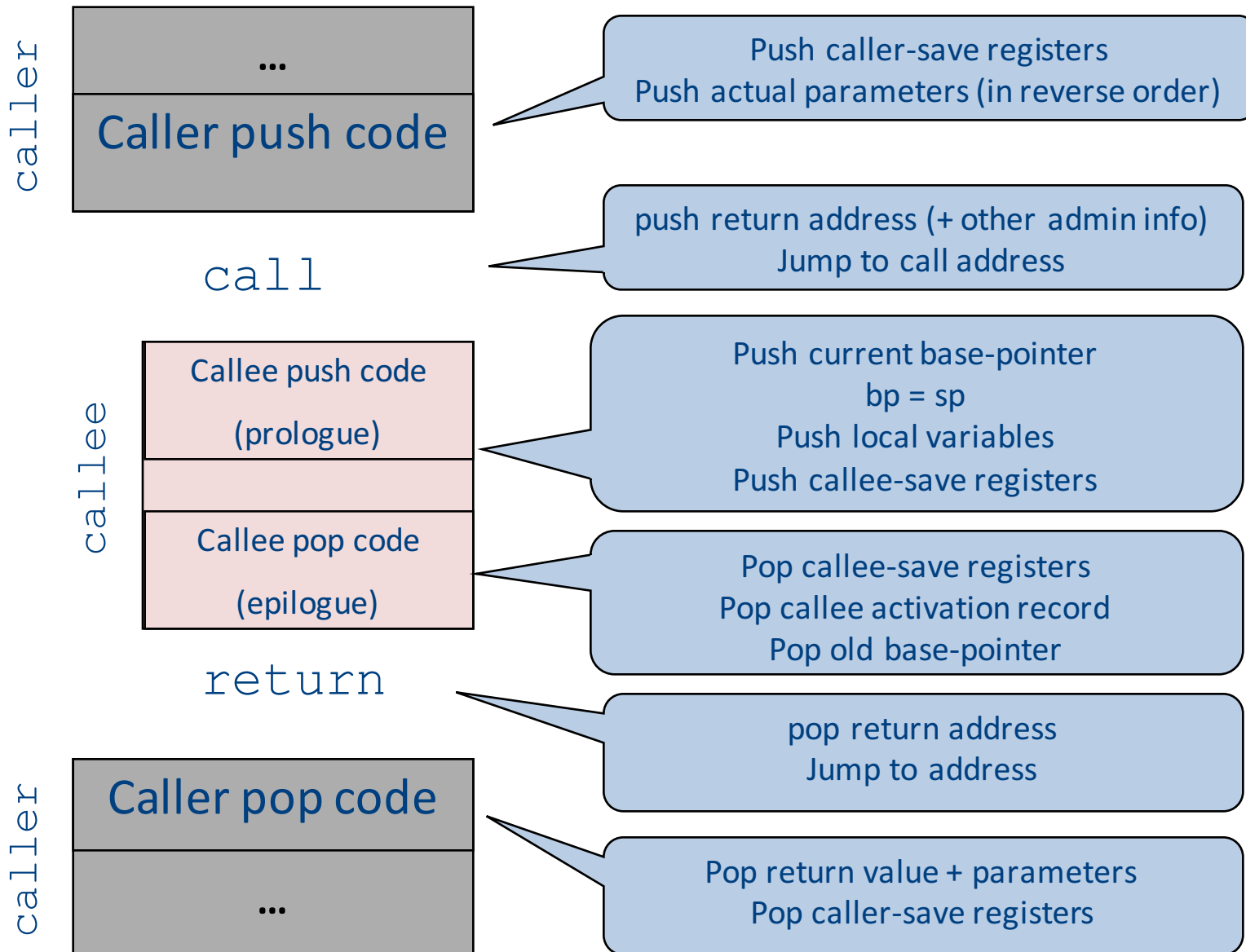
(disclaimer: real compiler can do better than that)



# Call Sequences

- The **processor** does not save the content of **registers** on procedure calls
- So who will?
  - Caller saves and restores registers
  - Callee saves and restores registers
  - But can also have both save/restore some registers

# Call Sequences



# “To Callee-save or to Caller-save?”

- Callee-saved registers need only be saved when callee modifies their value
- Some heuristics and conventions are followed

# Caller-Save and Callee-Save Registers

- Callee-Save Registers
  - Saved by the callee before modification
  - Values are automatically preserved across calls
- Caller-Save Registers
  - Saved (if needed) by the caller before calls
  - Values are not automatically preserved across calls
- Usually the architecture defines caller-save and callee-save registers
- Separate compilation
- Interoperability between code produced by different compilers/languages
- But compiler writers decide when to use caller/callee registers

# Callee-Save Registers

- Saved by the callee before modification
- Usually at procedure prolog
- Restored at procedure epilog
- Hardware support may be available
- Values are automatically preserved across calls

```
int foo(int a) {           .global _foo
    int b=a+1;           Add_Constant -K, SP //allocate space for foo
    f1();                Store_Local R5, -14(FP) // save R5
    g1(b);                Load_Reg R5, R0; Add_Constant R5, 1
    return(b+2);          JSR f1 ; JSR g1;
                          Add_Constant R5, 2; Load_Reg R5, R0
                          Load_Local -14(FP), R5 // restore R5
                          Add_Constant K, SP; RTS // deallocate
}
```

# Caller-Save Registers

- Saved by the caller before calls when needed
- Values are not automatically preserved across calls

```
void bar (int y) {  
    int x=y+1;  
    f2(x);  
    g2(2);  
    g2(8);  
}  
  
    .global _bar  
    Add_Constant -K, SP //allocate space for bar  
    Add_Constant R0, 1  
    JSR f2  
    Load_Constant 2, R0 ;    JSR g2;  
    Load_Constant 8, R0 ;    JSR g2  
    Add_Constant K, SP // deallocate space for bar  
    RTS
```

# Parameter Passing

- 1960s
  - In memory
    - No recursion is allowed
- 1970s
  - In stack
- 1980s
  - In registers
  - First  $k$  parameters are passed in registers ( $k=4$  or  $k=6$ )
  - Where is time saved?
- Most procedures are leaf procedures
- Interprocedural register allocation
- Many of the registers may be dead before another invocation
- Register windows are allocated in some architectures per call (e.g., sun Sparc)

# Activation Records & Language Design



# Compile-Time Information on Variables

- Name, type, size
- Address kind
  - Fixed (global)
  - Relative (local)
  - Dynamic (heap)
- Scope
  - when is it recognized
- Duration
  - Until when does its value exist

# Scoping

```
int x = 42;
```

```
int f() { return x; }
```

```
int g() { int x = 1; return f(); }
```

```
int main() { return g(); }
```

- What value is returned from main?
- Static scoping?
- Dynamic scoping?

# Nested Procedures

- For example – Pascal
- Any routine can have sub-routines
- Any sub-routine can access anything that is defined in its containing scope or inside the sub-routine itself
  - “non-local” variables

# Example: Nested Procedures

```
program p() {  
  int x;  
  procedure a() {  
    int y;  
    [ procedure b() { ... c() ... };  
    [ procedure c() {  
      int z;  
      [ procedure d() {  
        y := x + z  
      };  
      ... b() ... d() ...  
    }  
    ... a() ... c() ...  
  }  
}  
a()
```

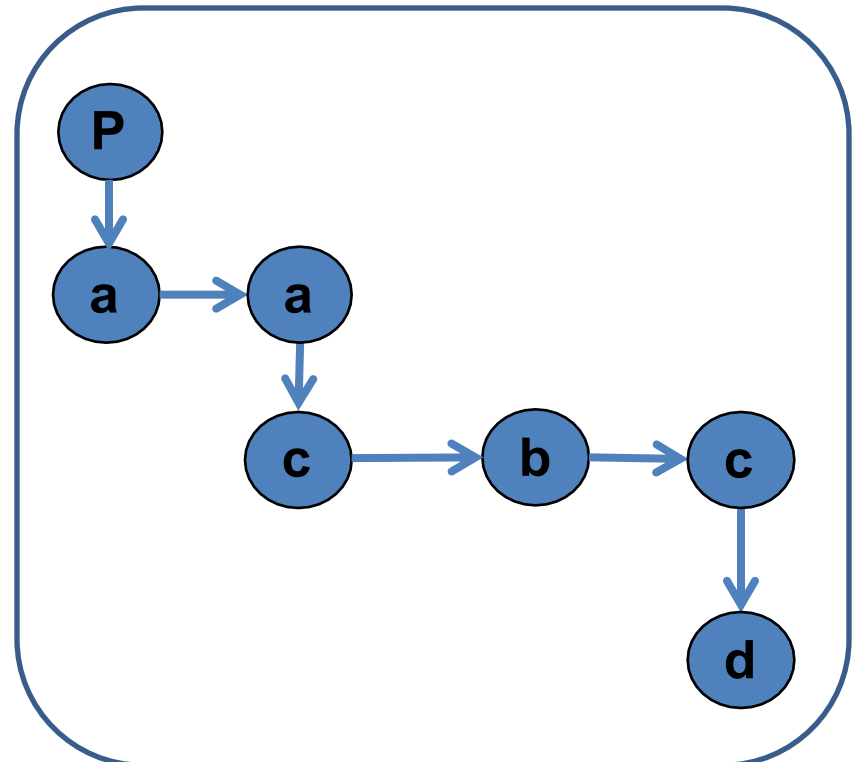
Possible call sequence:  
 $p \rightarrow a \rightarrow a \rightarrow c \rightarrow b \rightarrow c \rightarrow d$

what are the addresses  
of variables "x," "y" and  
"z" in procedure d?

# Nested Procedures

- can call a sibling, ancestor
- when “c” uses (non-local) variables from “a”, which instance of “a” is it?
- how do you find the right activation record at runtime?

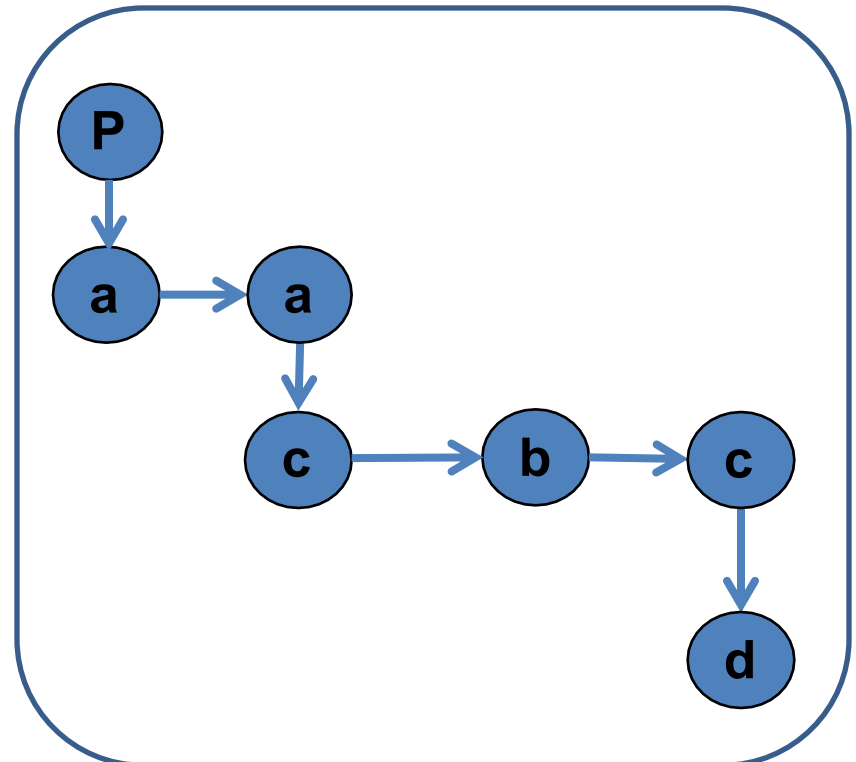
Possible call sequence:  
 $p \rightarrow a \rightarrow a \rightarrow c \rightarrow b \rightarrow c \rightarrow d$



# Nested Procedures

- goal: **find the closest routine in the stack from a given nesting level**
- if we reached the same routine in a sequence of calls
  - routine of level  $k$  uses variables of the same nesting level, it uses its own variables
  - if it uses variables of nesting level  $j < k$  then it must be the last routine called at level  $j$
- If a procedure is last at level  $j$  on the stack, then it must be ancestor of the current routine

Possible call sequence:  
 $p \rightarrow a \rightarrow a \rightarrow c \rightarrow b \rightarrow c \rightarrow d$



# Nested Procedures

- problem: a routine may need to access variables of another routine that contains it statically
- solution: lexical pointer (a.k.a. access link) in the activation record
- lexical pointer points to the last activation record of the nesting level above it
  - in our example, lexical pointer of d points to activation records of c
- lexical pointers created at runtime
- number of links to be traversed is known at compile time

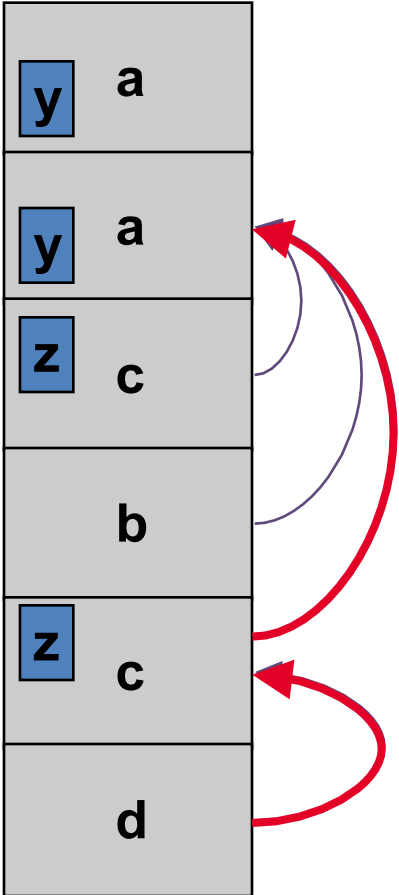
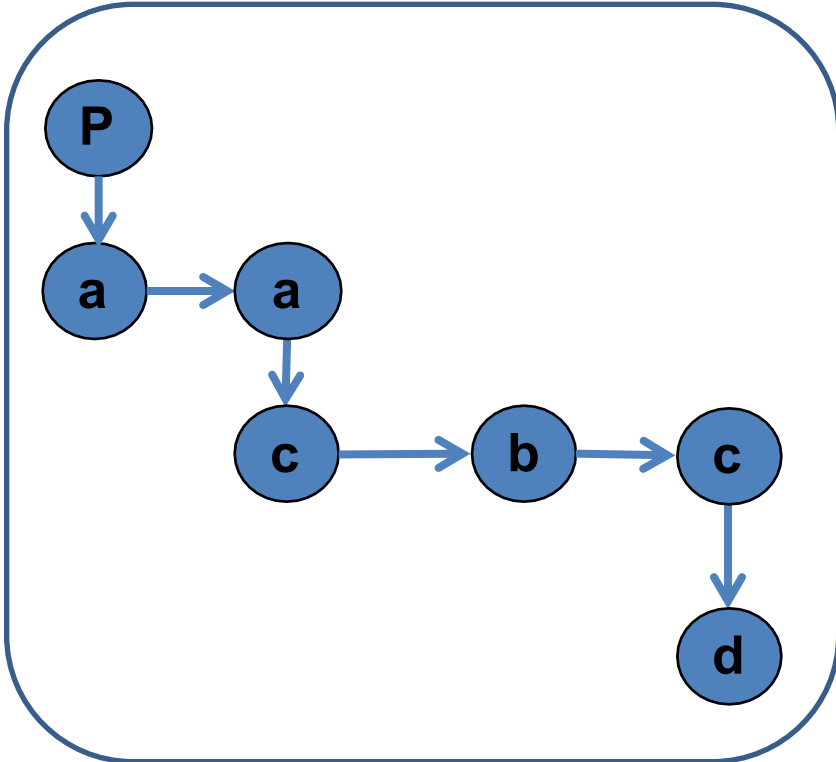
# Lexical Pointers

```

program p() {
  int x;
  procedure a() {
    int y;
    [ procedure b() { c() };
    procedure c() {
      int z;
      [ procedure d() {
        y := x + z;
      };
      ... b() ... d() ...
    }
    ... a() ... c() ...
  }
  a()
}

```

Possible call sequence:  
 $p \rightarrow a \rightarrow a \rightarrow c \rightarrow b \rightarrow c \rightarrow d$

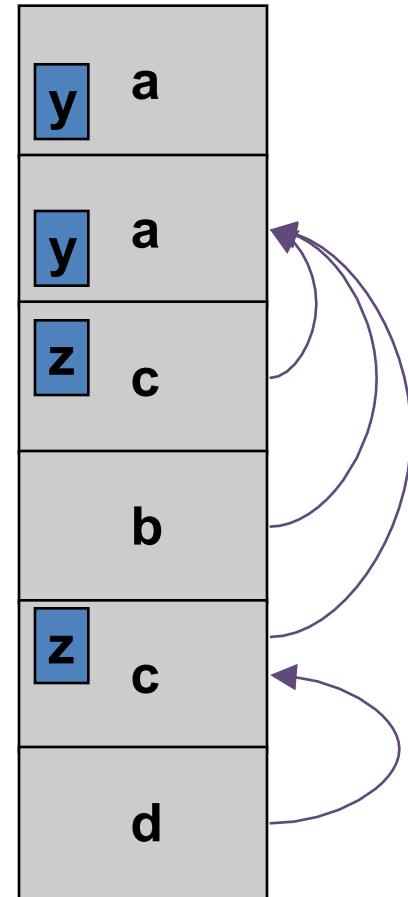
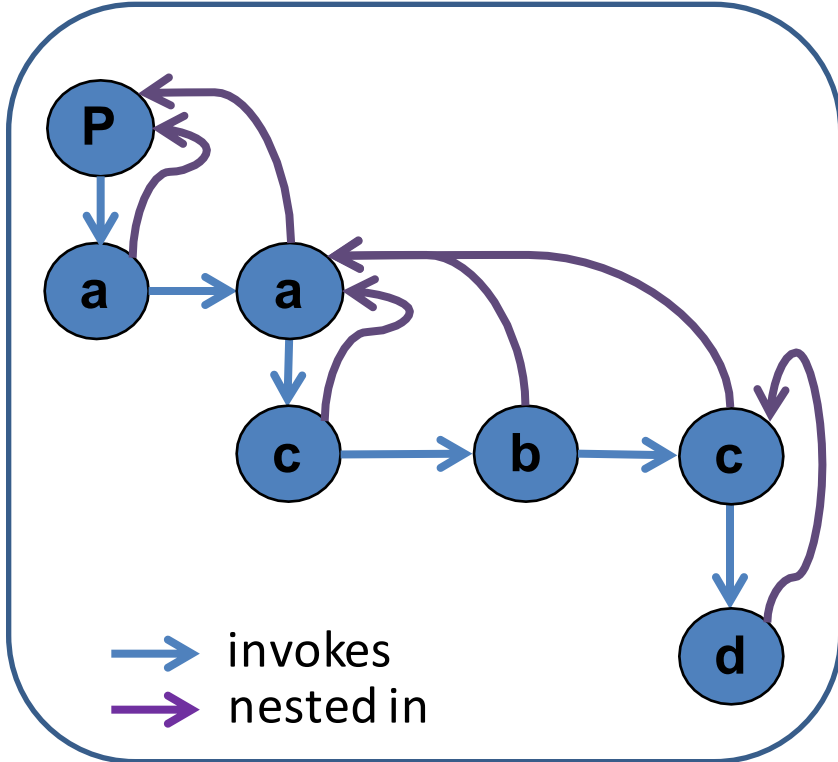




# Lexical Pointers

```
program p() {  
  int x;  
  procedure a() {  
    int y;  
    [ procedure b() { c() };  
    procedure c() {  
      int z;  
      [ procedure d() {  
        y := x + z;  
      };  
      ... b() ... d() ...  
    }  
    ... a() ... c() ...  
  }  
  a()  
}
```

Possible call sequence:  
 $p \rightarrow a \rightarrow a \rightarrow c \rightarrow b \rightarrow c \rightarrow d$



# Activation Records: Remarks

# Non-Local goto in C syntax

```
void level_0(void) {  
    void level_1(void) {  
        void level_2(void) {  
            ...  
            goto L_1;  
            ...  
        }  
        ...  
L_1: ...  
        ...  
    }  
    ...  
}
```

# Non-local gotos in C

- `setjmp` remembers the current location and the stack frame
- `longjmp` jumps to the current location (popping many activation records)

# Non-Local Transfer of Control in C

```
#include <setjmp.h>

void find_div_7(int n, jmp_buf *jmpbuf_ptr) {
    if (n % 7 == 0) longjmp(*jmpbuf_ptr, n);
    find_div_7(n + 1, jmpbuf_ptr);
}

int main(void) {
    jmp_buf jmpbuf;          /* type defined in setjmp.h */
    int return_value;

    if ((return_value = setjmp(jmpbuf)) == 0) {
        /* setting up the label for longjmp() lands here */
        find_div_7(1, &jmpbuf);
    }
    else {
        /* returning from a call of longjmp() lands here */
        printf("Answer = %d\n", return_value);
    }
    return 0;
}
```

# Stack Frames

- Allocate a separate space for every procedure incarnation
- Relative addresses
- Provide a simple mean to achieve modularity
- Supports separate code generation of procedures
- Naturally supports recursion
- Efficient memory allocation policy
  - Low overhead
  - Hardware support may be available
- LIFO policy
- Not a pure stack
  - Non local references
  - Updated using arithmetic

# The Frame Pointer

- The caller
  - the calling routine
- The callee
  - the called routine
- caller responsibilities:
  - Calculate arguments and save in the stack
  - Store lexical pointer
- call instruction:
  - $M[--SP] := RA$
  - $PC := \text{callee}$
- callee responsibilities:
  - $FP := SP$
  - $SP := SP - \text{frame-size}$
- Why use both SP and FP?

# Variable Length Frame Size

- C allows allocating objects of unbounded size in the stack

```
void p() {  
    int i;  
    char *p;  
    scanf("%d", &i);  
    p = (char *) alloca(i*sizeof(int));  
}
```

- Some versions of Pascal allows conformant array value parameters



# Limitations

- The compiler may be forced to store a value on a stack instead of registers
- The stack may not suffice to handle some language features

# Frame-Resident Variables

- A variable  $x$  cannot be stored in register when:
  - $x$  is passed by reference
  - Address of  $x$  is taken ( $\&x$ )
  - is addressed via pointer arithmetic on the stack-frame (C varargs)
  - $x$  is accessed from a nested procedure
  - The value is too big to fit into a single register
  - The variable is an array
  - The register of  $x$  is needed for other purposes
  - Too many local variables
- An escape variable:
  - Passed by reference
  - Address is taken
  - Addressed via pointer arithmetic on the stack-frame
  - Accessed from a nested procedure

# The Frames in Different Architectures

$g(x, y, z)$  where  $x$  escapes

	Pentium	MIPS	Sparc
$x$	InFrame(8)	InFrame(0)	InFrame(68)
$y$	InFrame(12)	InReg( $X_{157}$ )	InReg( $X_{157}$ )
$z$	InFrame(16)	InReg( $X_{158}$ )	InReg( $X_{158}$ )
View Change	$M[sp+0] \leftarrow fp$ $fp \leftarrow sp$ $sp \leftarrow sp-K$	$sp \leftarrow sp-K$ $M[sp+K+0] \leftarrow r_2$ $X_{157} \leftarrow r_4$ $X_{158} \leftarrow r_5$	$save \%sp, -K, \%sp$ $M[fp+68] \leftarrow i_0$ $X_{157} \leftarrow i_1$ $X_{158} \leftarrow i_2$

# Limitations of Stack Frames

- A local variable of P cannot be stored in the activation record of P if its duration exceeds the duration of P

- Example 1: Static variables in C  
(own variables in Algol)

```
void p(int x)
{
    static int y = 6 ;
    y += x;
}
```

- Example 2: Features of the C language

```
int * f()
{ int x ;
  return &x ;
}
```

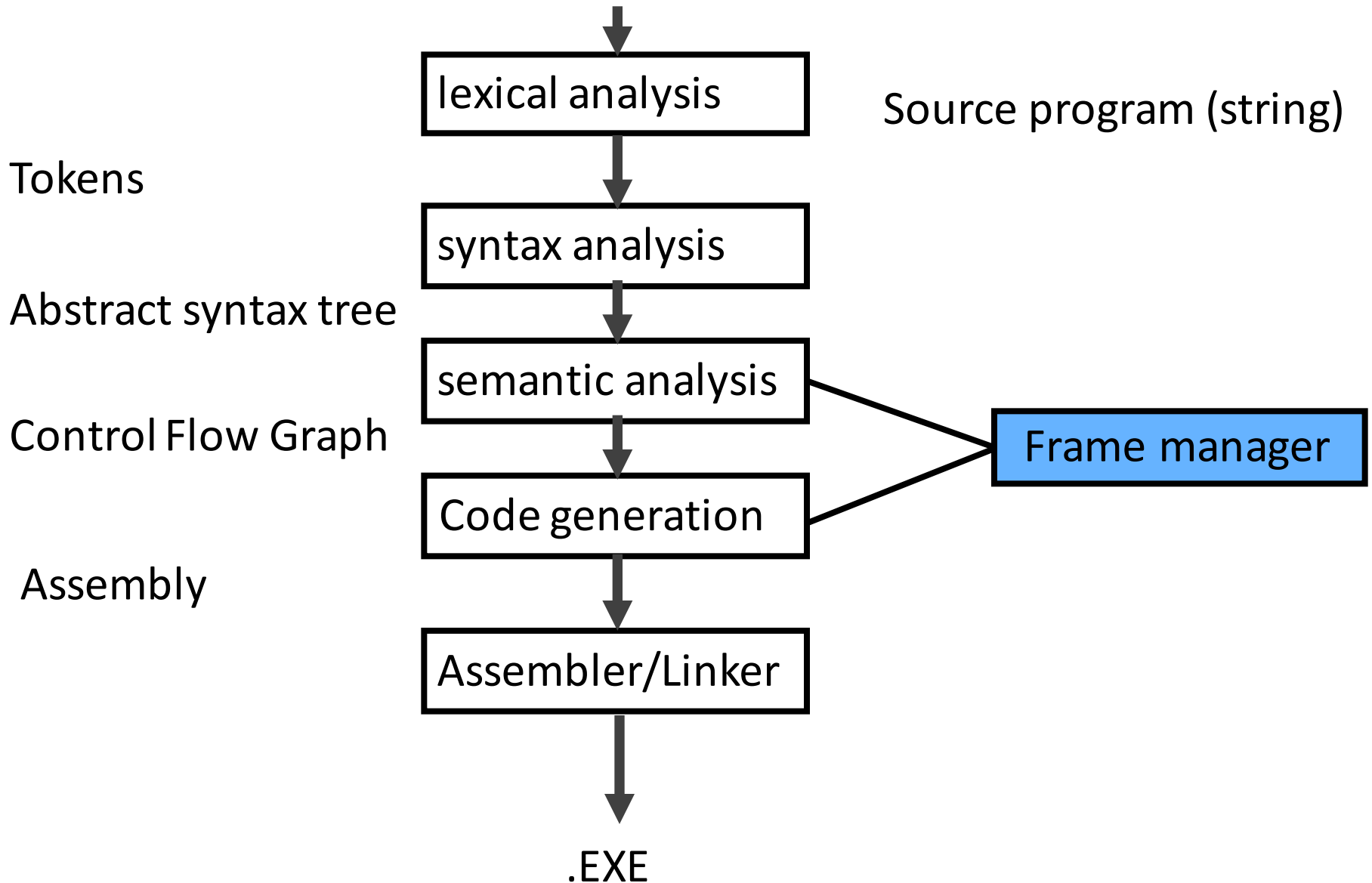
- Example 3: Dynamic allocation

```
int * f() { return (int *)
malloc(sizeof(int)); }
```

# Compiler Implementation

- Hide machine dependent parts
- Hide language dependent part
- Use special modules

# Basic Compiler Phases



# Hidden in the frame ADT

- Word size
- The location of the formals
- Frame resident variables
- Machine instructions to implement “shift-of-view” (prologue/epilogue)
- The number of locals “allocated” so far
- The label in which the machine code starts

# Activation Records: Summary

- compile time memory management for procedure data
- works well for data with well-scoped lifetime
  - deallocation when procedure returns